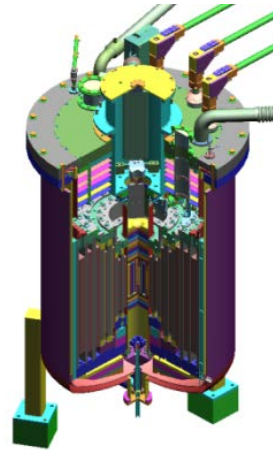
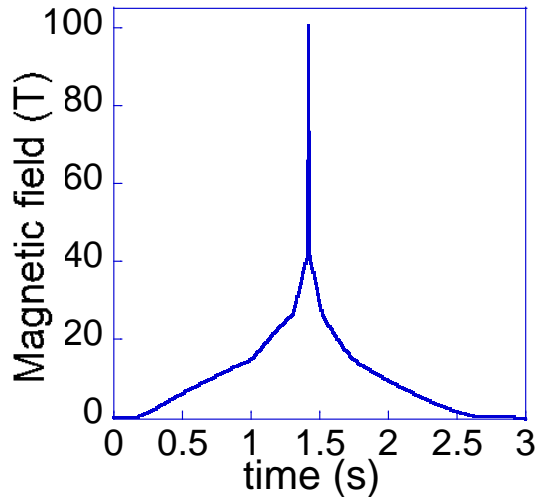
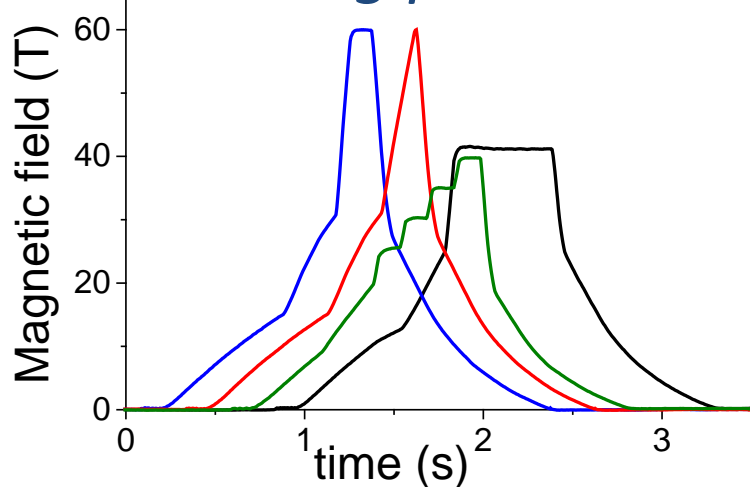
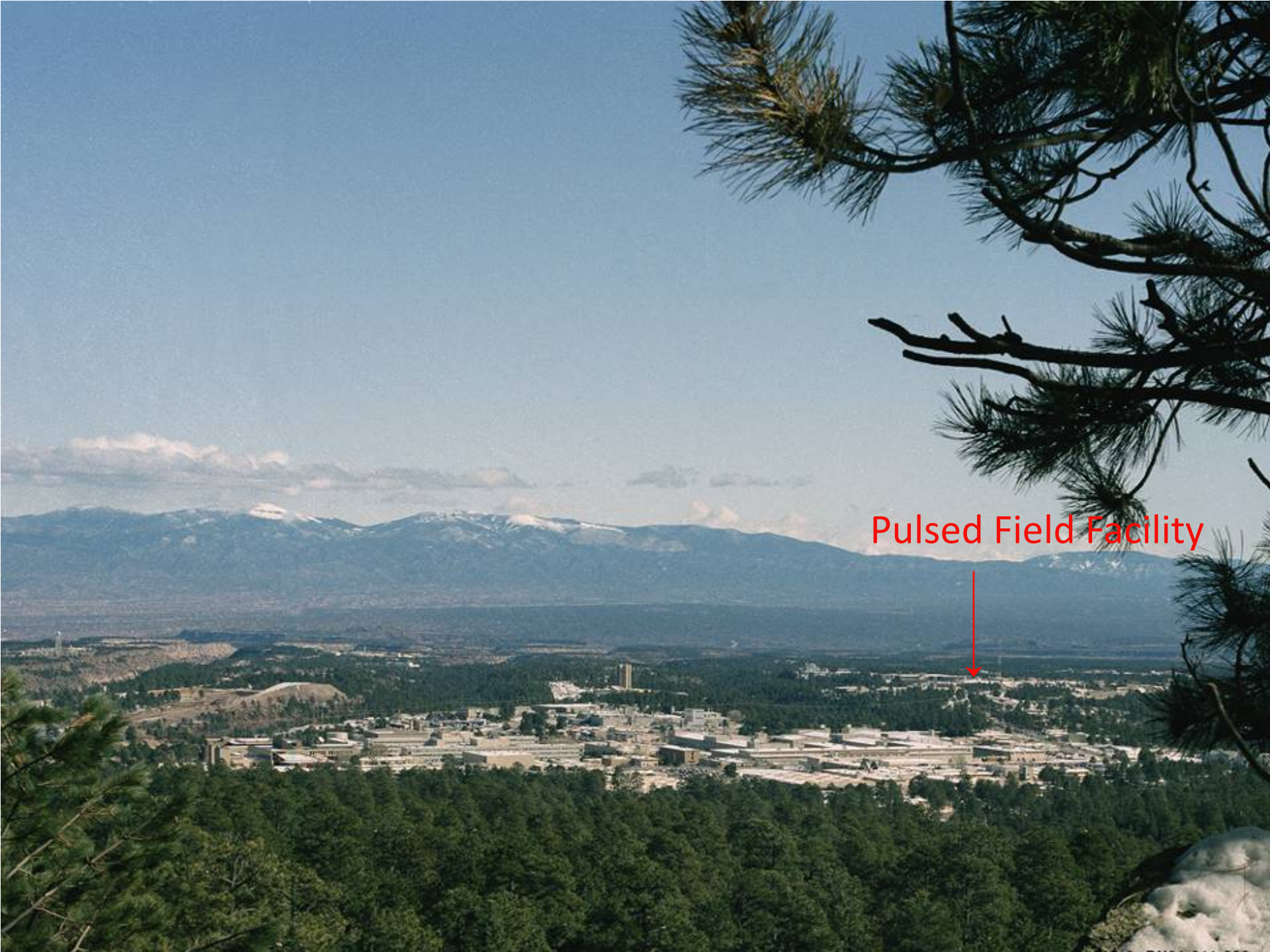


100 Tesla multishot



60 Tesla long pulse



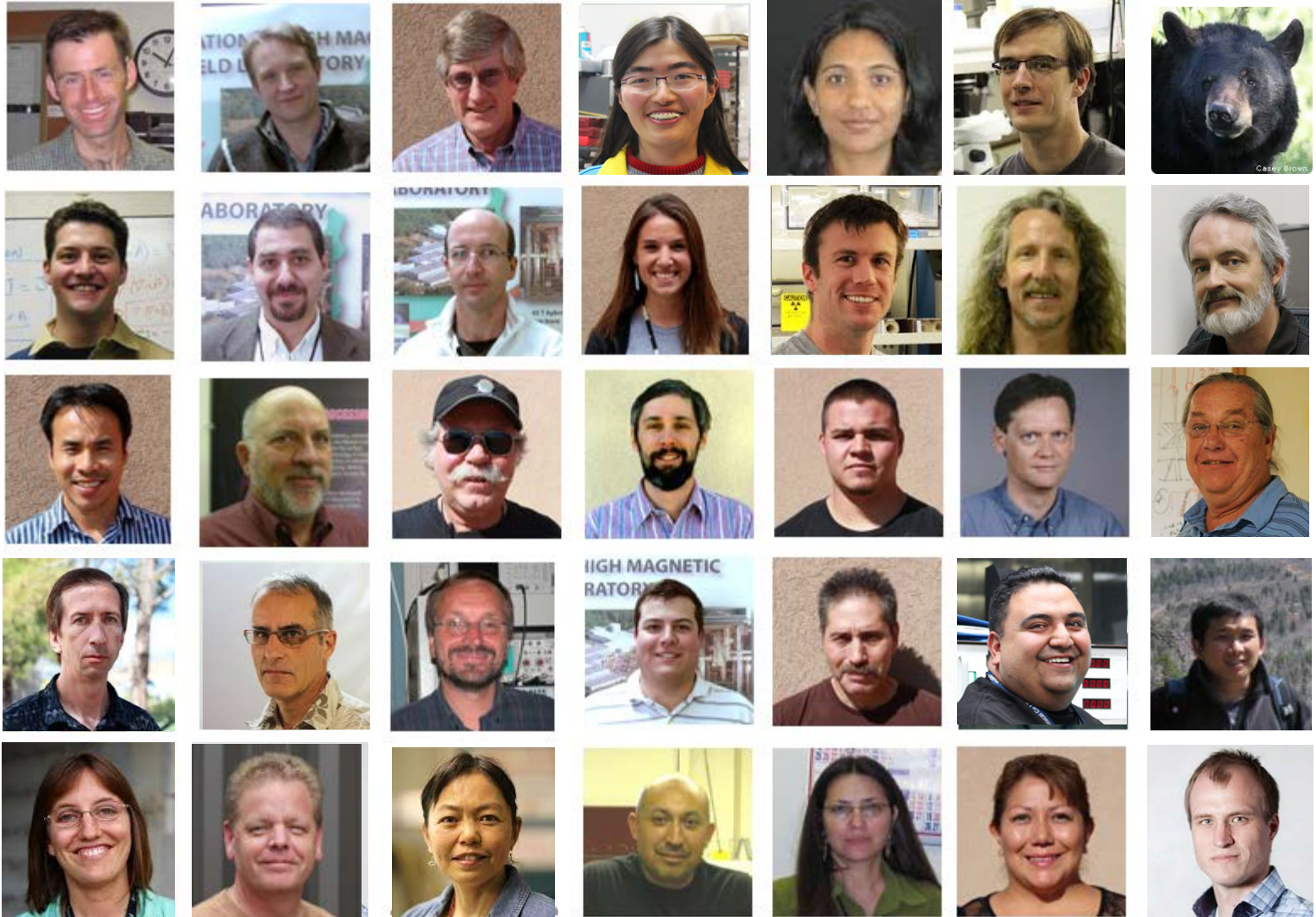


Pulsed Field Facility



Magnet Lab Pulsed-Field facility: ~35 people

1/3 scientists, 1/3 engineers & technicians, 1/3 students & post-docs



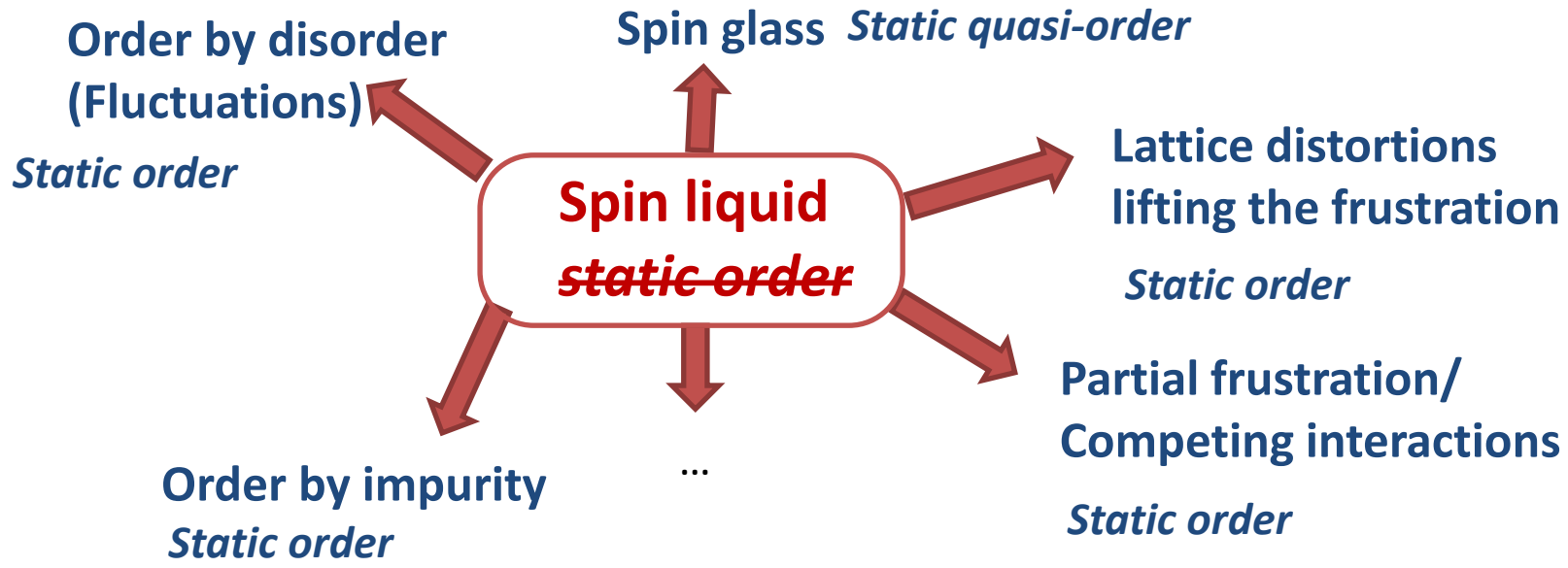
Frustration and Functionality

Vivien Zapf

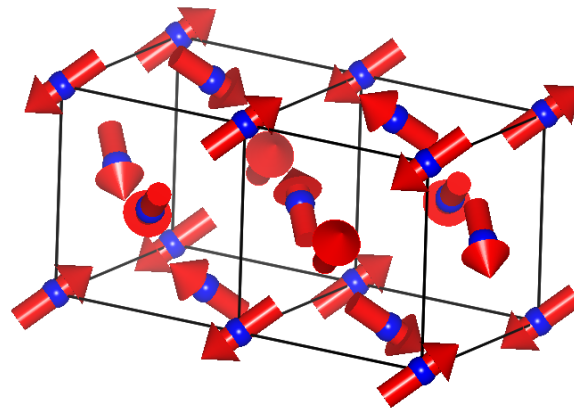
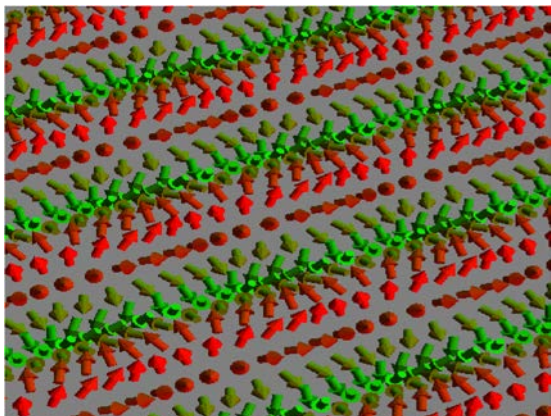
Magnet Lab, Pulsed Field Facility

Los Alamos National Lab





Static order near frustration: tends to complex spin textures

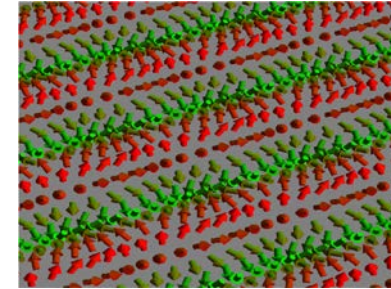
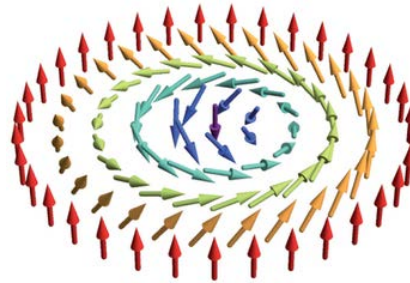
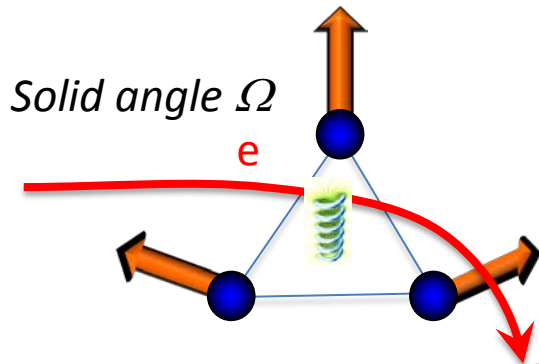


- Noncolinear
- Non-coplanar
- Long-wavelength modulations
- Spirals
- Spatially segregated phases

Complex spin textures -> broken symmetries

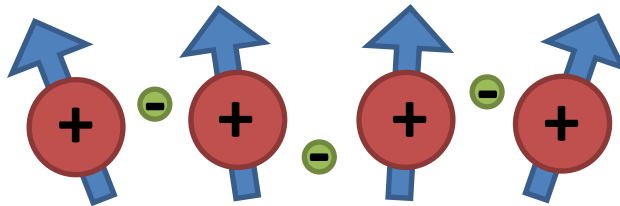
- 1. Chirality.** Couple to electron transport (Hall effects)
e.g. Skyrmions or other spin textures with berry phases

**CONDUCTORS,
SEMICONDUCTORS**



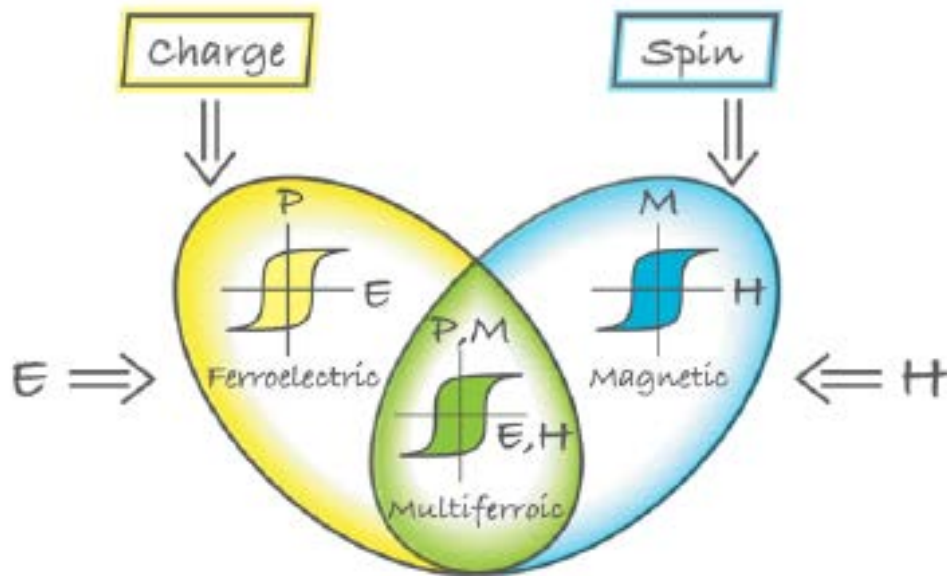
- 2. Broken mirror symmetry: (chirality is a subset)**

Couple to Ferroelectricity



INSULATORS

3.



D. Khomskii, Physics 2, 20 (2009)

Low power consumption
Voltages instead of currents

**Record-sensitive magnetic sensors
at low powers**

Tunable filters, antennas, gyrators, etc.

Tunable microwave devices

Energy harvesting

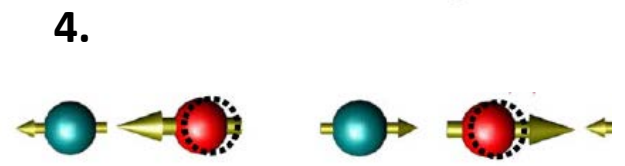
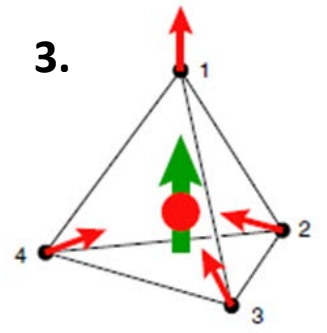
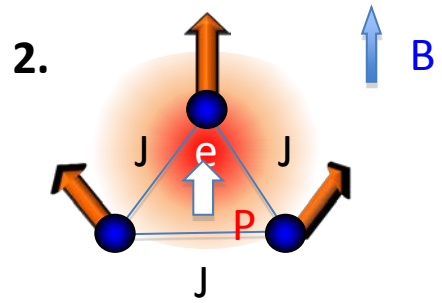
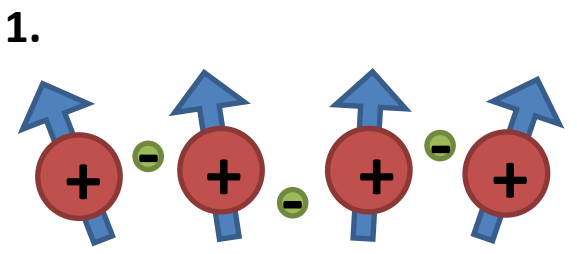
Memory/smart devices

**Electric manipulation of magnetic
domain walls, topological objects, etc.**

- Nearly frustrated static order
- Complexity, Broken symmetries
- Coupling to ferroelectricity:

4 examples

Microscopic mechanisms



High magnetic fields and explosions

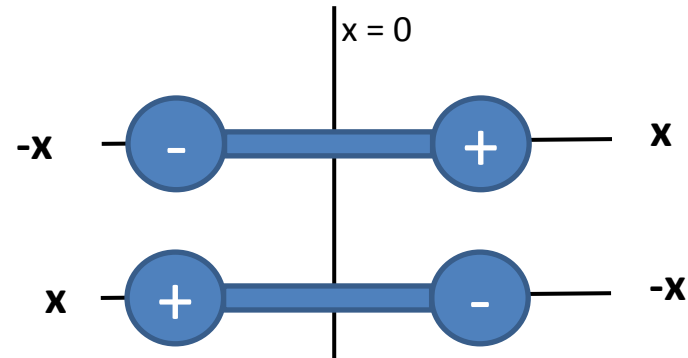
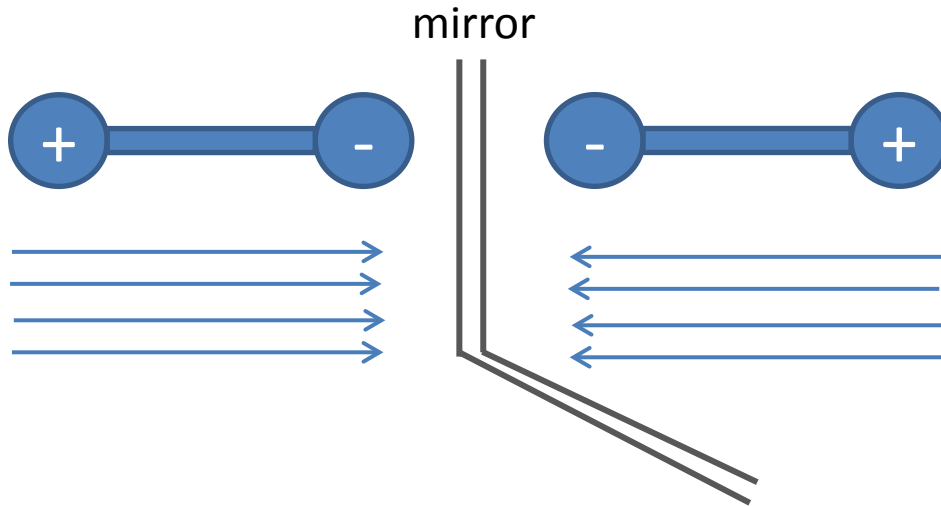
Electric fields break *mirror* symmetry (SIS)

A unique polar axis



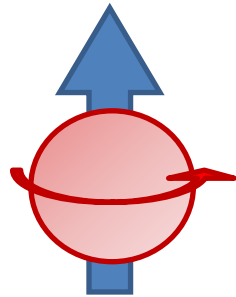
Is there **any** choice of origin for which $x \rightarrow -x$ conserves symmetry?

No: breaks spatial inversion symmetry



Can I create a magnetic pattern that matches that of an electric field?

If so, I have a chance to create ferroelectricity



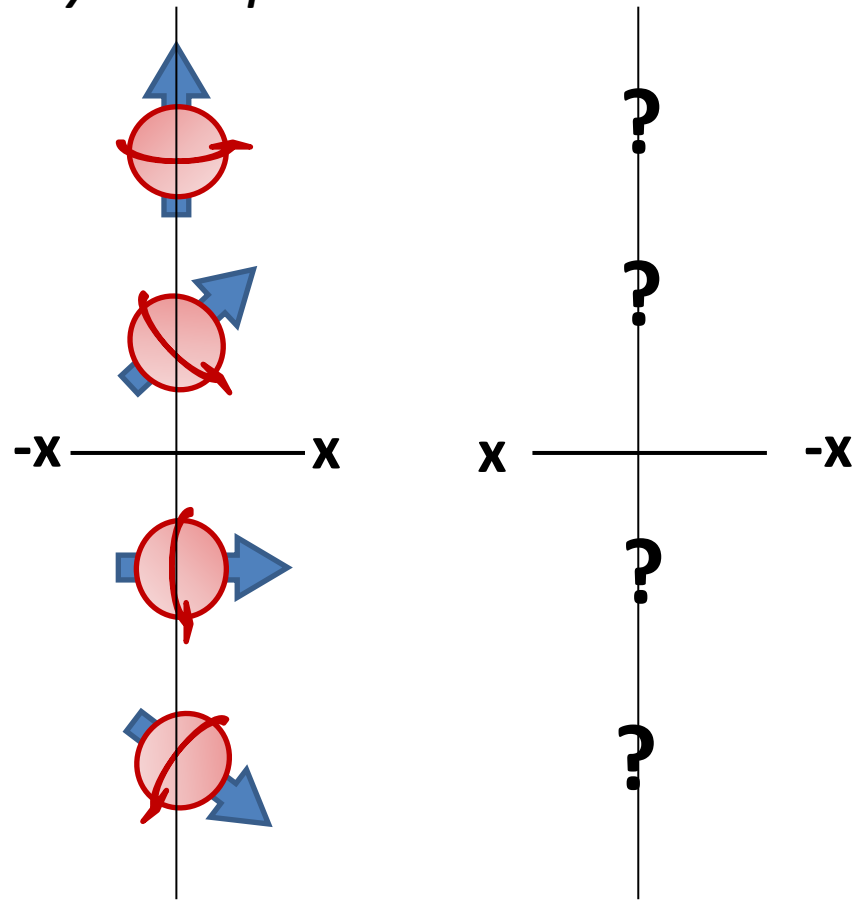
Cut the arrows

Sorted the arrows

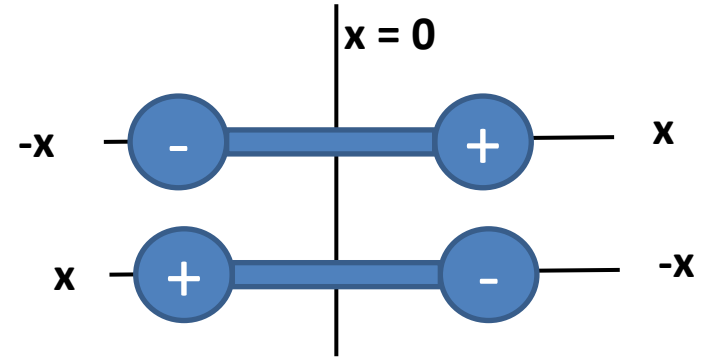


Exercise:
Perform mirror inversion about x on this spiral

Cycloidal spiral

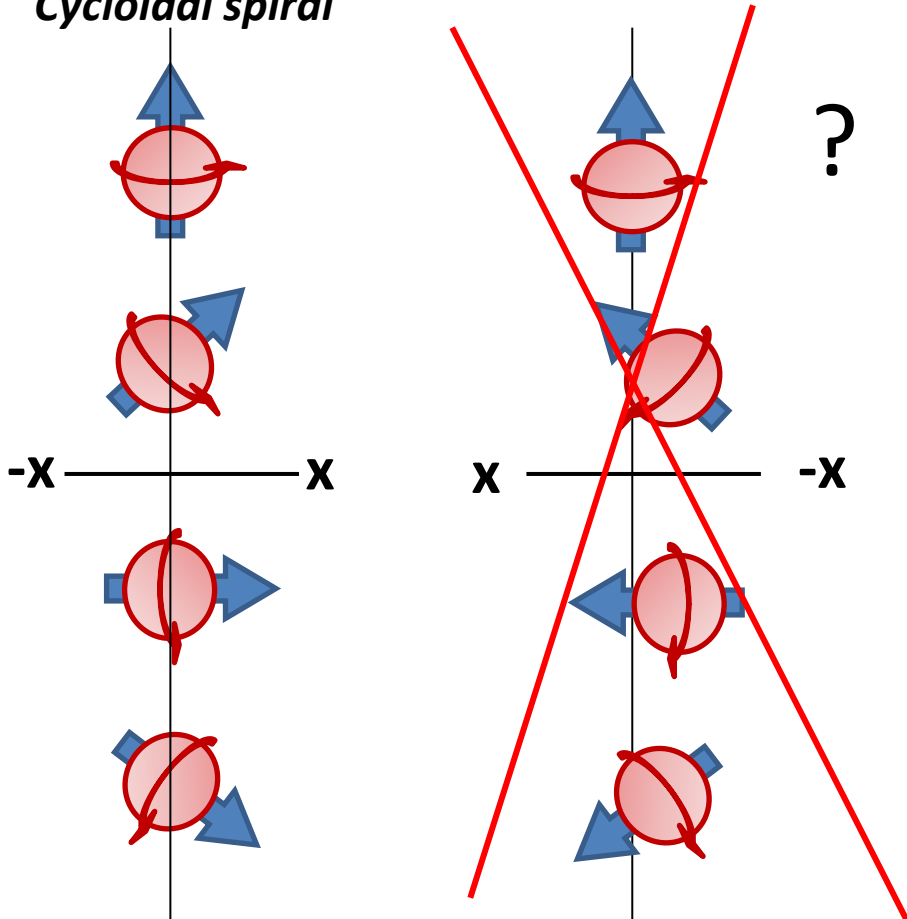


SIS = spatial inversion symmetry

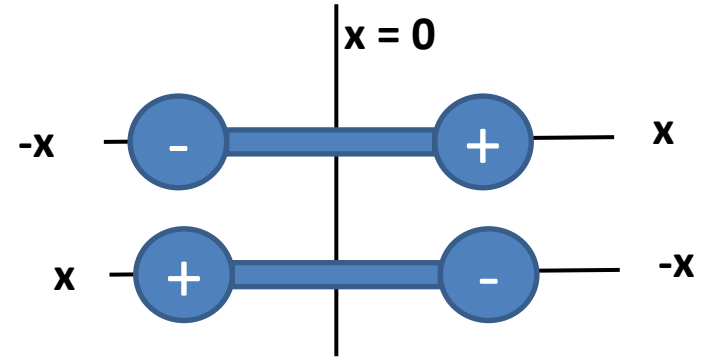


Exercise:
Perform mirror about x on this spiral

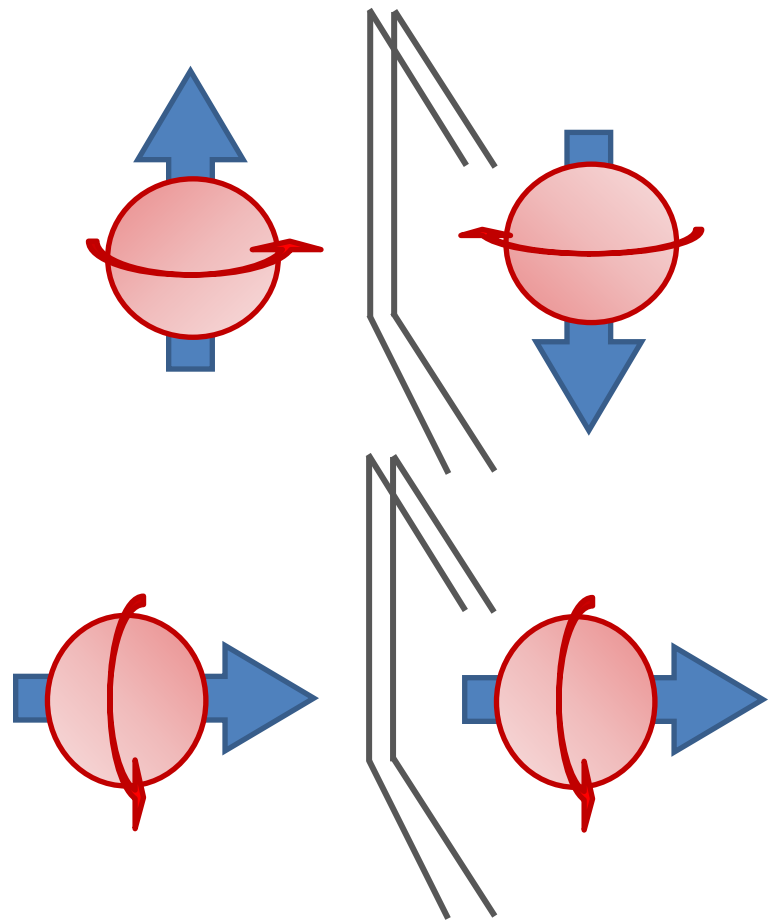
Cycloidal spiral



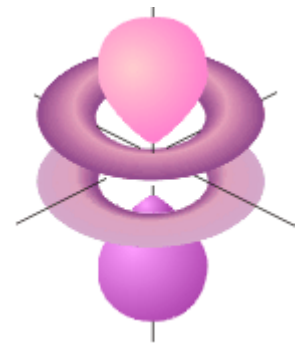
SIS = spatial inversion symmetry



“Spins are not arrows”
Spin transforms as a rotation

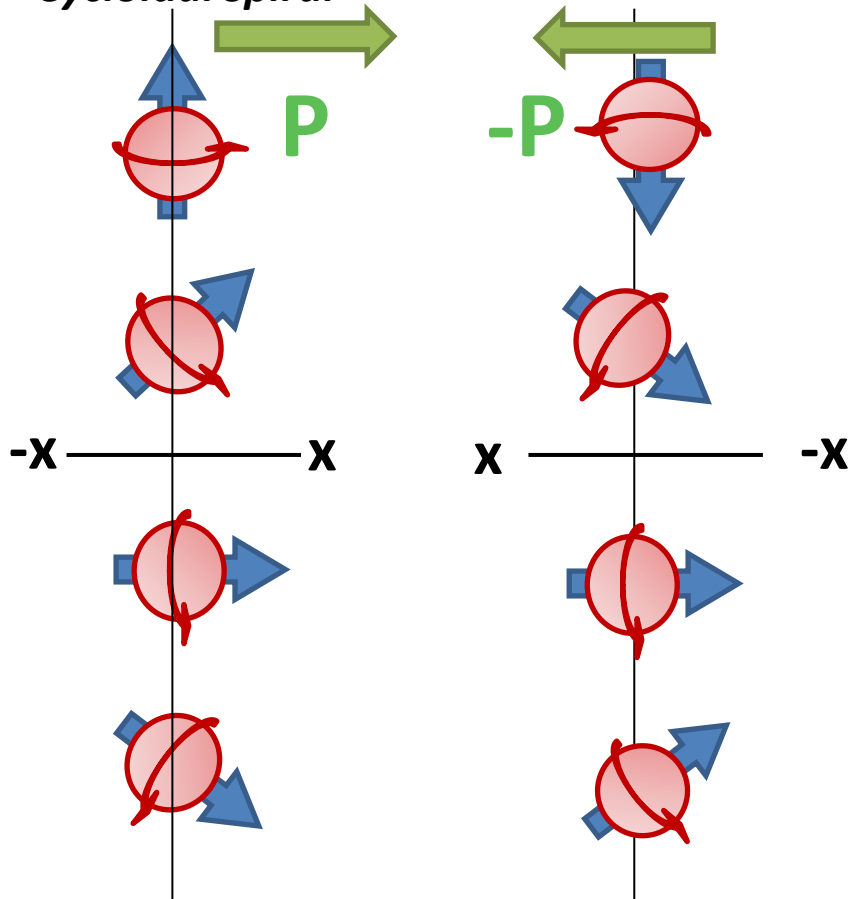


$$\frac{1}{\sqrt{2}}|\text{cat sitting}\rangle + \frac{1}{\sqrt{2}}|\text{cat lying}\rangle$$



Exercise (complete):
Perform mirror inversion about x on this spiral

Cycloidal spiral

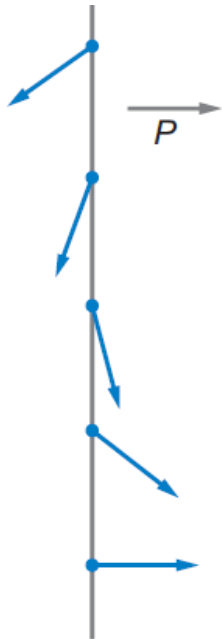


Breaks spatial inversion about x

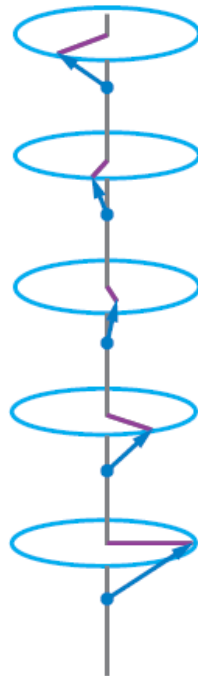
In the attempt to regain my original pattern, I'm allowed to translate the spiral because an electric FIELD (as opposed to a dipole) conserves translational symmetry.

**Some spirals that break mirror symmetry
CAN BE SPONTANEOUSLY GENERATED BY FRUSTRATION**

Cycloidal
(spins are in the plane
of the board)



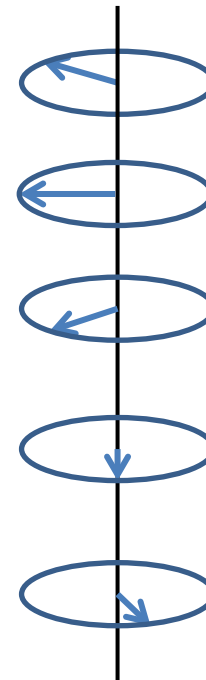
Conical (I)



Conical (II)



**Helical
(with caveats)**



T. Kimura, Annu. Rev. Mater. Res. 37, 387 (2007)

Magnetoelectric materials with spirals

Table 1 List of magnetoelectrics related to spiral spin structure

Compound	Crystal structure (at r.t. ^c)	Magnetic ion	Magnetic wave vector	Proposed magnetic structure (Ref.)	T range (K)	Maximum P ($\mu\text{C m}^{-2}$) (Ref.)
Cr_2BeO_4	Orthorhombic (<i>mmm</i>)	Cr^{3+} $S = 3/2$ $L = 3$	$(0, 0, l)$	Cycloidal (53)	≤ 28	$\sim 3^a$ (54)
ZnCr_2Se_4	Cubic (<i>m3m</i>) <i>Spinel</i>	Cr^{3+} $S = 3/2$ $L = 3$	$(b, 0, 0)$	Screw ($H = 0$) Conical[I] ($H > 0$) (57)	≤ 20	$—^b$ (47)
RMnO_3 ($R = \text{Tb, Dy, EuY, etc.}$)	Orthorhombic (<i>mmm</i>) <i>Perovskite</i>	Mn^{3+} $S = 2$ $L = 2$	$(0, k, l)$ $k = 0.2 \sim 0.39$	Cycloidal (30, 35)	≤ 28	$< \sim 2000$ (36, 41)
$\text{Ni}_3\text{V}_2\text{O}_8$	Orthorhombic (<i>mmm</i>)	Ni^{2+} $S = 1$ $L = 3$	$(k, 0, 0)$ $k \sim 0.28$	Cycloidal (58)	$3.9 \sim 6.3$	~ 100 (51)
$(\text{Ba,Sr})_2\text{Zn}_2$ $-\text{Fe}_{12}\text{O}_{22}$	Rhombohedral ($-3m$) <i>Y-type hexaferrite</i>	Fe^{3+} $S = 5/2$ $L = 0$	$(0, 0, 3d)$ $0 < d \leq 1/2$	Screw ($H = 0$) fan ($H > 0$) (59)	$\leq \sim \text{r.t.}$ possibly	$\sim 150^b$ (60)
CuFeO_2	Rhombohedral ($-3m$) <i>Delafossite</i>	Fe^{3+} $S = 5/2$ $L = 0$	$(b, b, 0)$ $b = 0.2 \sim 0.25$	Collinear ($H = 0$) Screw ($H > 0$) (61)	≤ 11	$\sim 300^b$ (62)
CoCr_2O_4	Cubic (<i>m3m</i>) <i>Spinel</i>	$\text{Co}^{2+} \text{Cr}^{3+}$ $S = 3/2 \ S = 3/2$ $L = 3 \ L = 3$	$(b, b, 0)$ $b \sim 0.63$	Conical[II] (64)	≤ 26	~ 2 (63)
MnWO_4	Monoclinic (<i>2/m</i>)	Mn^{2+} $S = 5/2$ $L = 0$	$(-0.21, 1/2, 0.46)$	Cycloidal (65)	$7 \sim 12.5$	~ 60 (66–68)

GOAL: Couple magnetism to ferroelectricity

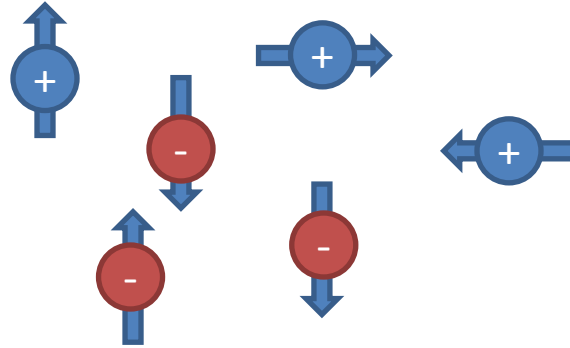
We can give magnetism a symmetry
that matches an electric field

**But to create ferroelectricity we need to add
charges to the spins
Spins \leftrightarrow orbits \leftrightarrow lattice.**

Microscopic mechanisms

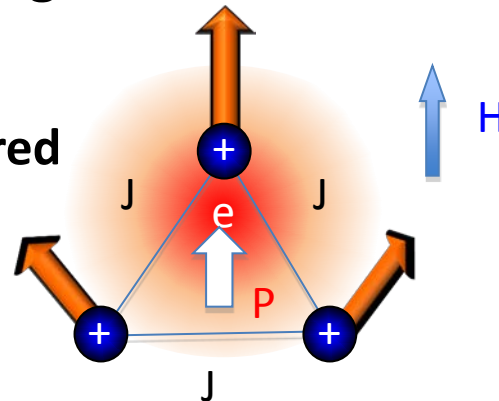
(usually both happen in a given material)

1. Magnetostriction [Always happens]. Let magnetic forces move charged ions around to create electric dipoles.



2. Polar bonds. Magnetic exchange bonds can have polar distribution of electron density.

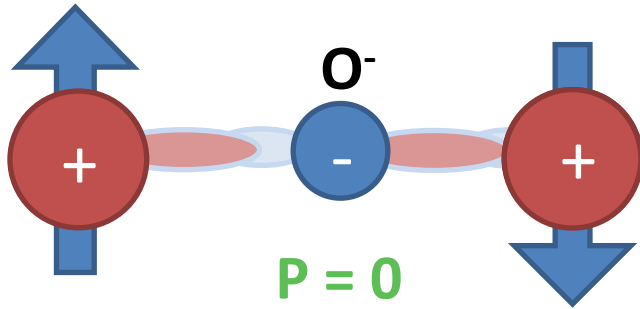
Frustration required



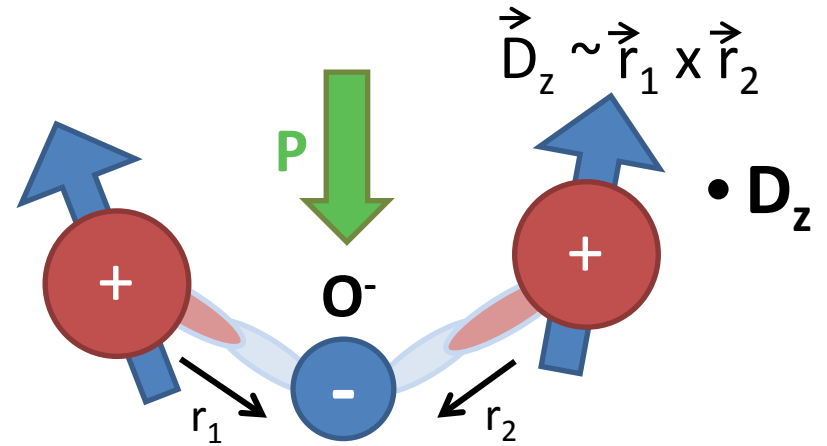
Example 1: Dzyaloshinskii-Moryia interaction

$$H = D_z \vec{S}_1 \times \vec{S}_2$$

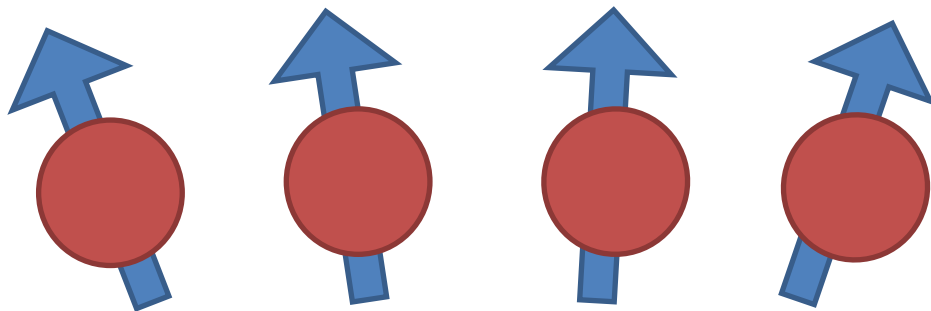
Exchange tensor $H = \vec{S}_1 \vec{T} \vec{S}_2$



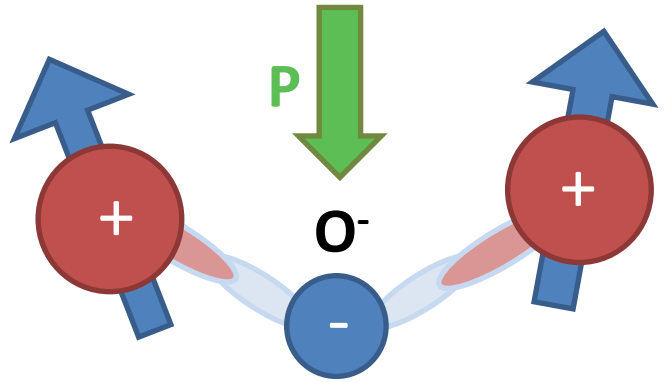
SIS is conserved



Consequence: Cycloidal spiral

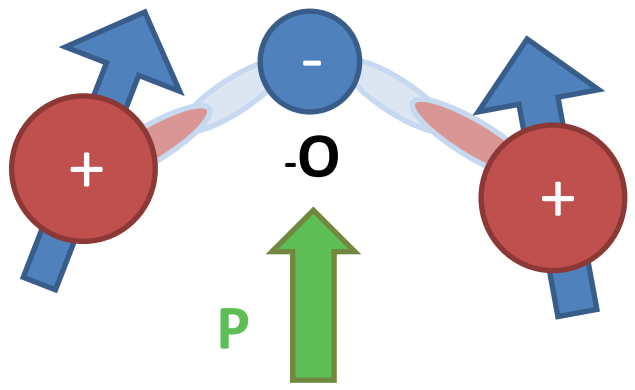


Broken SIS, vertically
In both the spins and the bond.



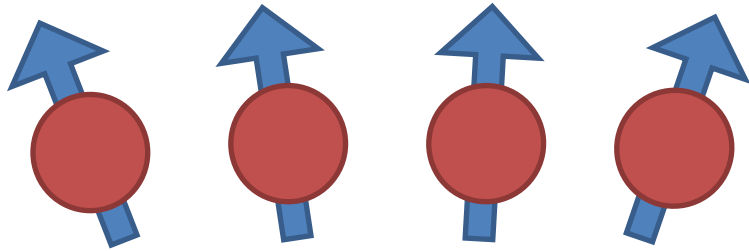
Mirror symmetry is broken

Spins, charges separately



Reverse cause and effect.

1. Frustration creates a spiral



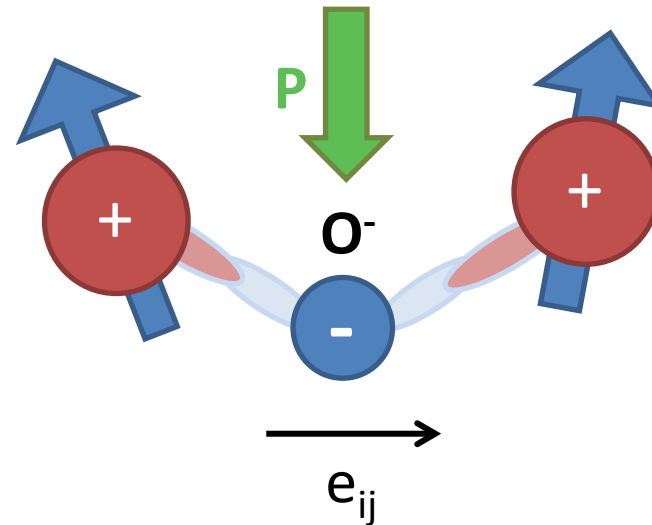
3. Generate a DM interaction

Lowers magnetic energy

$$\mathbf{H} = D_z \circ (\mathbf{S}_1 \times \mathbf{S}_2)$$

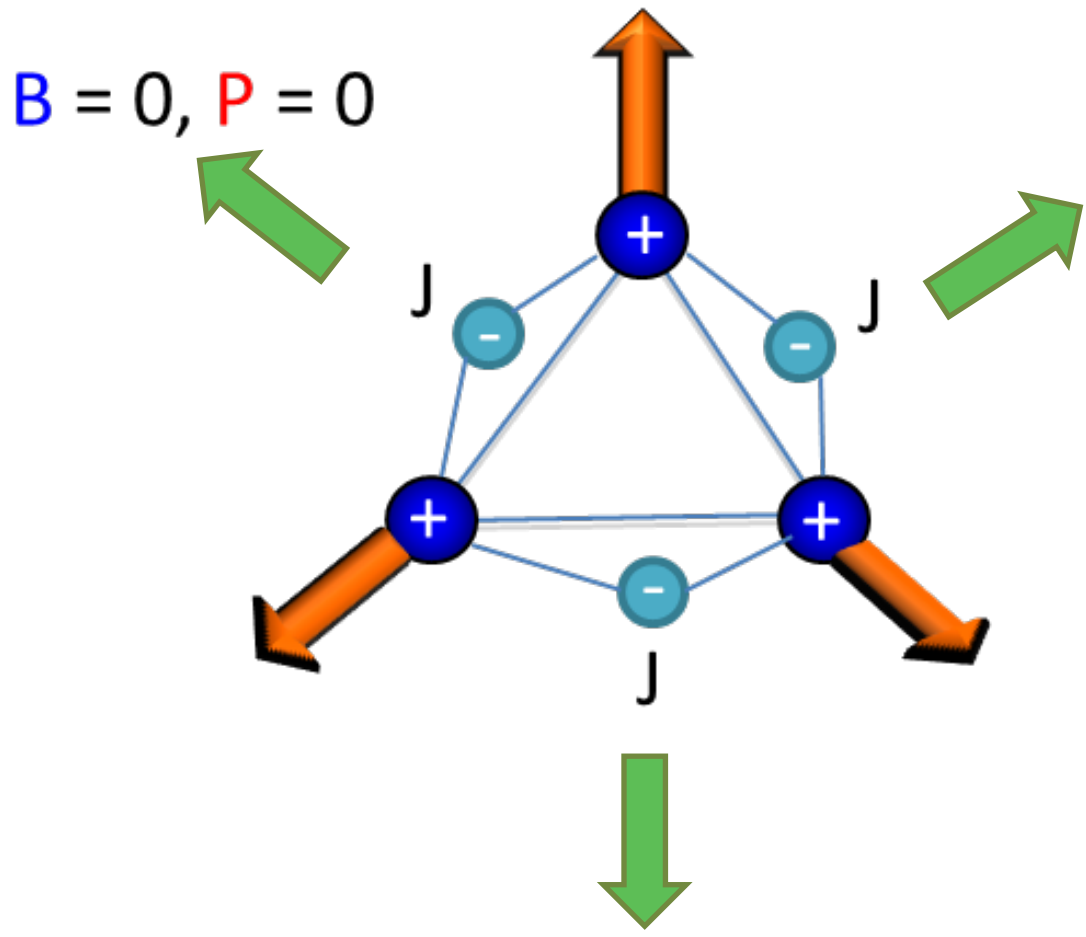
2. Bonds distort to match magnetic symmetry

(Electric polarization created as a byproduct.)



$$\mathbf{P} \sim (\mathbf{S}_i \times \mathbf{S}_{i+1}) \times \mathbf{e}_{ij}$$

Breaks mirror symmetry -- but not along a unique axis



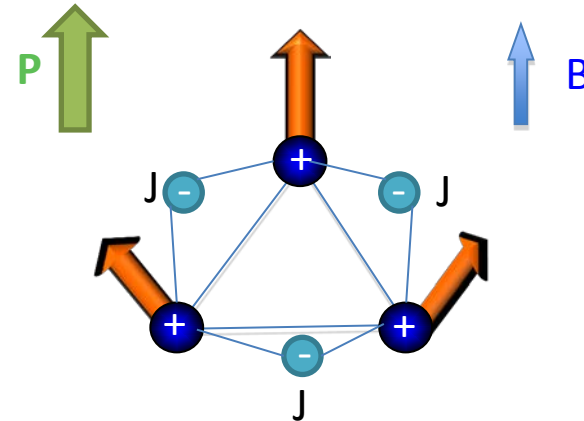
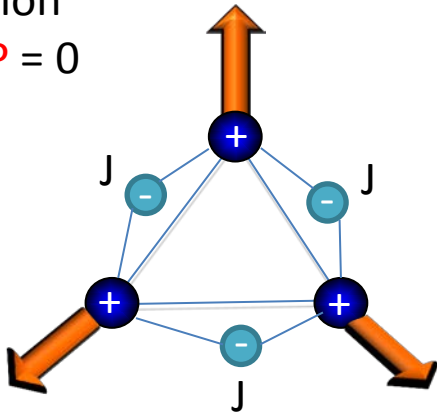
Unique polar axis selected by magnetic field

Example 2: Trimers.

L. N. Bulaevskii, C. D. Batista, M. V. Mostovoy, and D. I. Khomskii, PRB 78, 024402(2008).

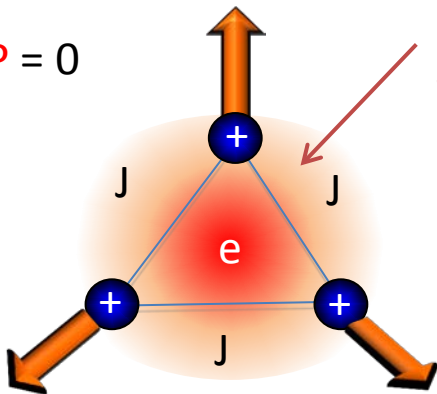
Magnetostriction

$$B = 0, P = 0$$

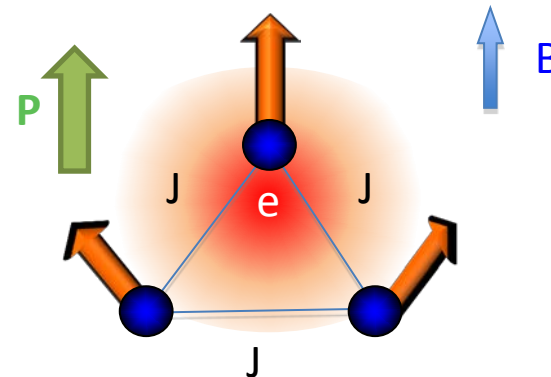


Orbital magnetolectric coupling.

$$B = 0, P = 0$$



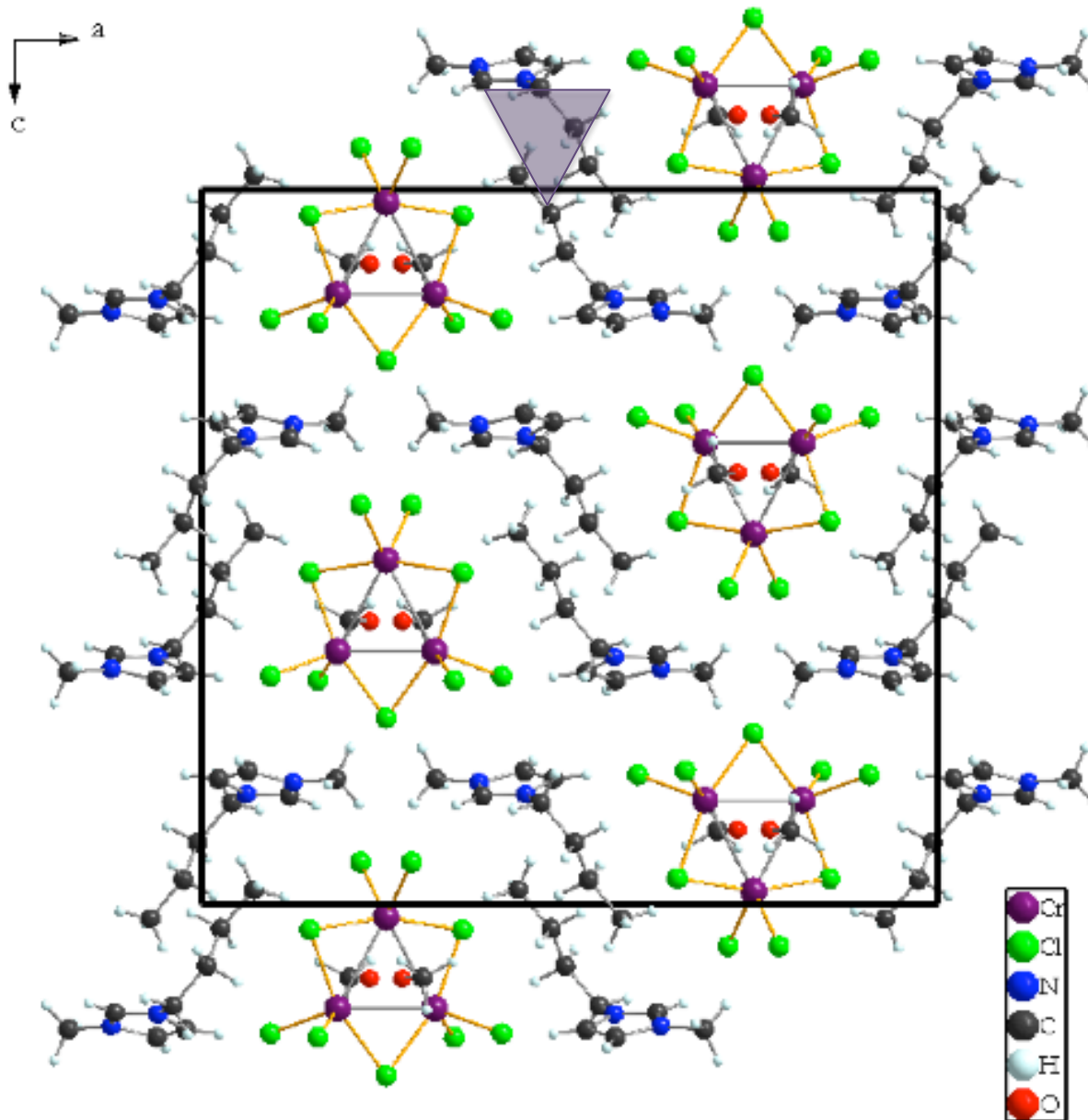
Electron of the
superexchange
interaction



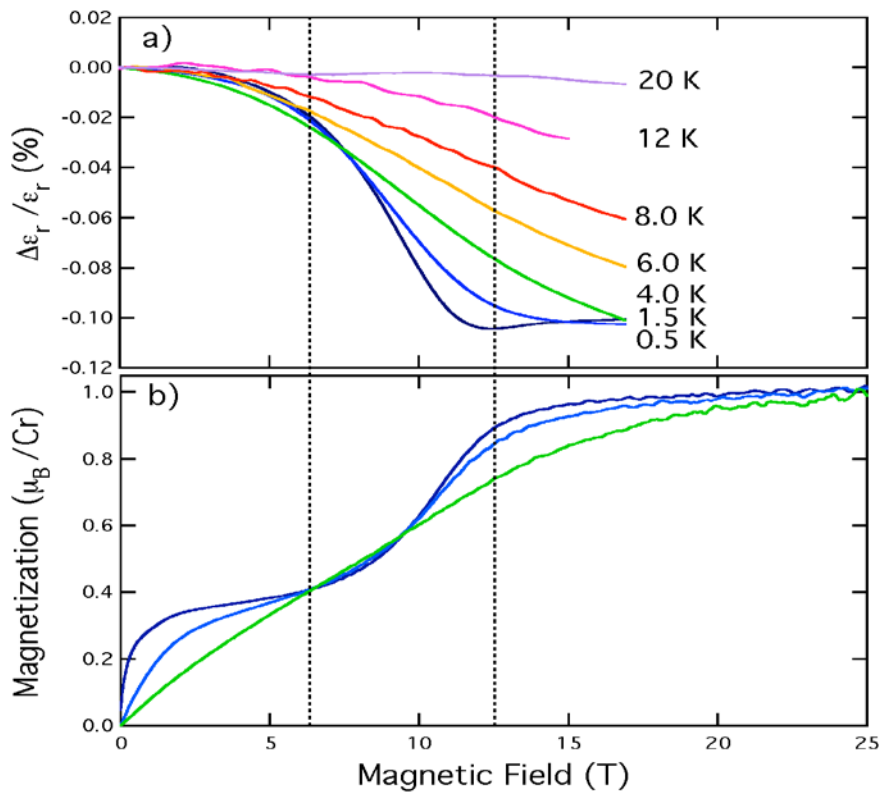
Conserves SIS

Breaks SIS

A metal-organic material with Cr trimers

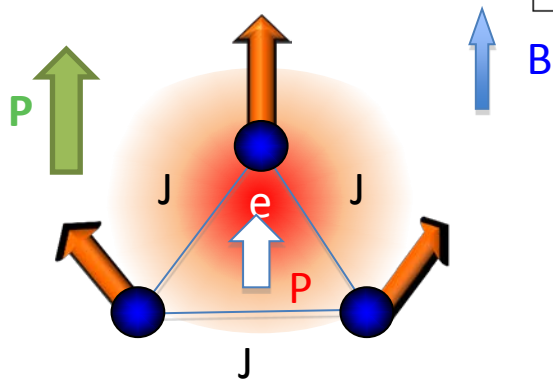
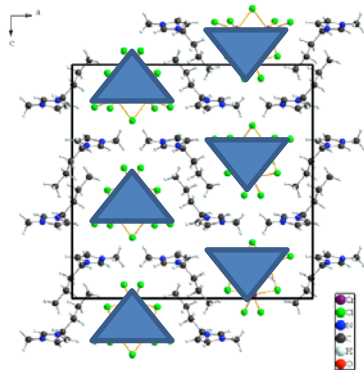
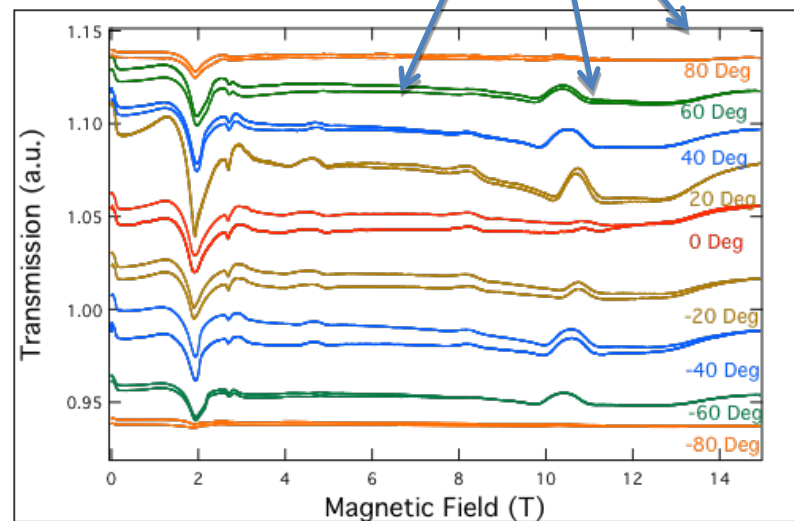


Electron spin resonance experiments



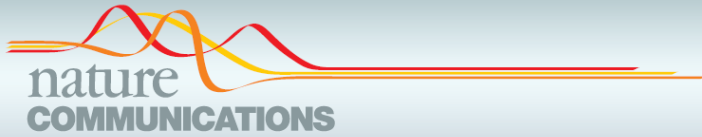
Electric dipole active features associated with magnetic level crossings

T = 4.0K



ESR

The only problem with this material is that triangles point in both directions



D. Khomskii

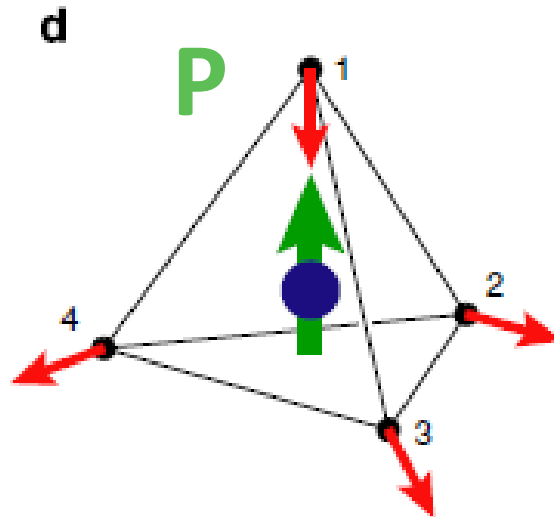
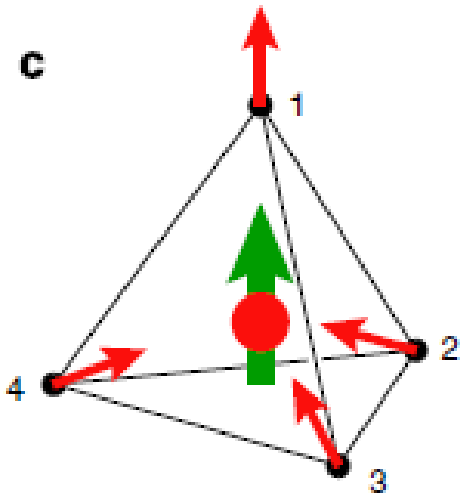
ARTICLE

Received 23 Feb 2012 | Accepted 14 May 2012 | Published 19 Jun 2012

DOI: 10.1038/ncomms1904

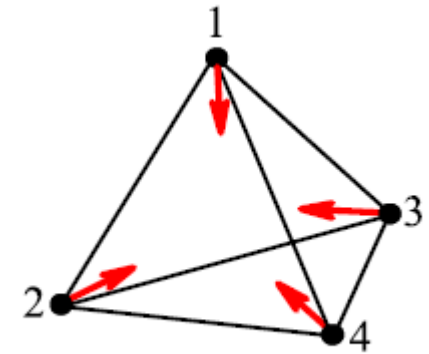
Electric dipoles on magnetic monopoles in spin ice

3-in-1-out (monopole)

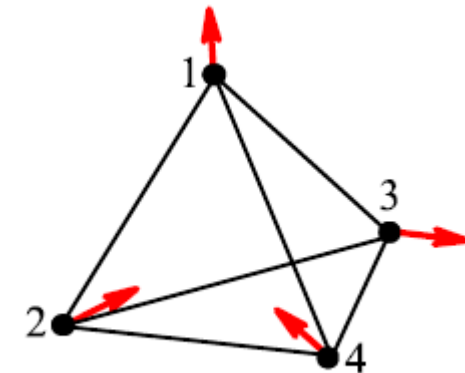


$$P \sim \delta n = 8t^3/U^3 (S_1 \cdot S_2 + S_1 \cdot S_3 - 2 S_2 \cdot S_3)$$

P=0



(a) 4-in cell



(b) 2-in-2-out cell

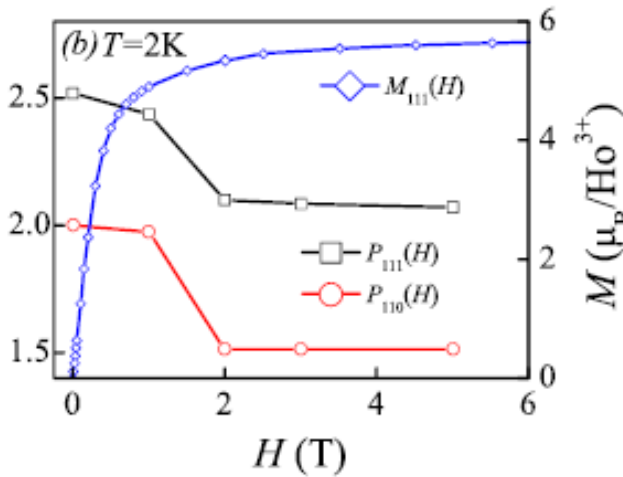
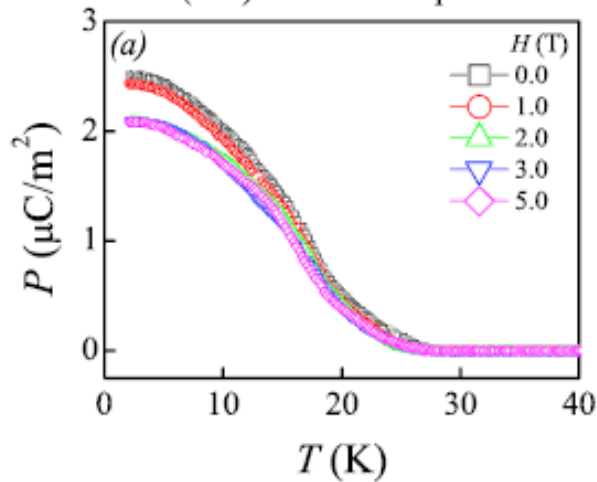
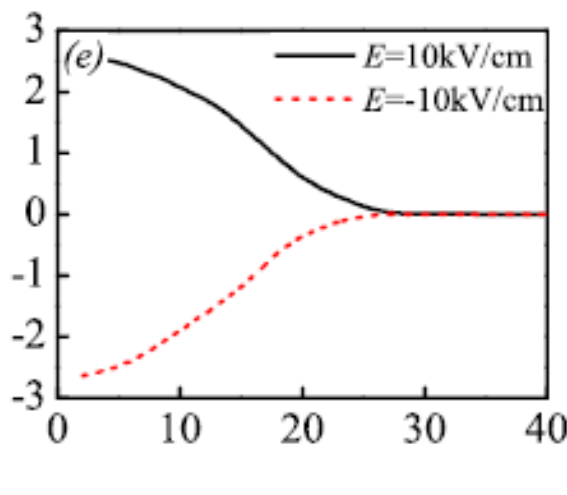
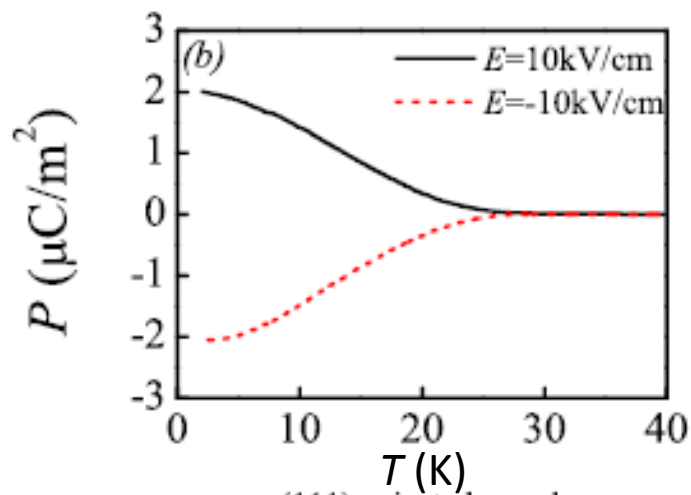
Multiferroicity in spin ice $\text{Ho}_2\text{Ti}_2\text{O}_7$: An investigation on single crystals

D. Liu,¹ L. Lin,¹ M. F. Liu,¹ Z. B. Yan,¹ S. Dong,² and J.-M. Liu^{1,3,a)}

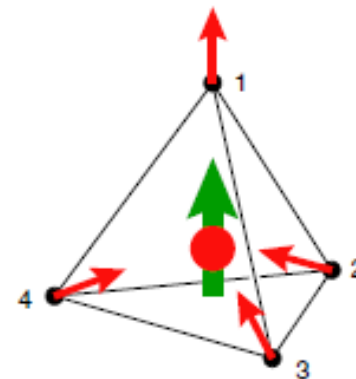
¹Laboratory of Solid State Microstructures, Nanjing University, Nanjing 210093, China

²Department of Physics, Southeast University, Nanjing 210008, China

³Institute for Advanced Materials, South China Normal University, Guangzhou 510006, China

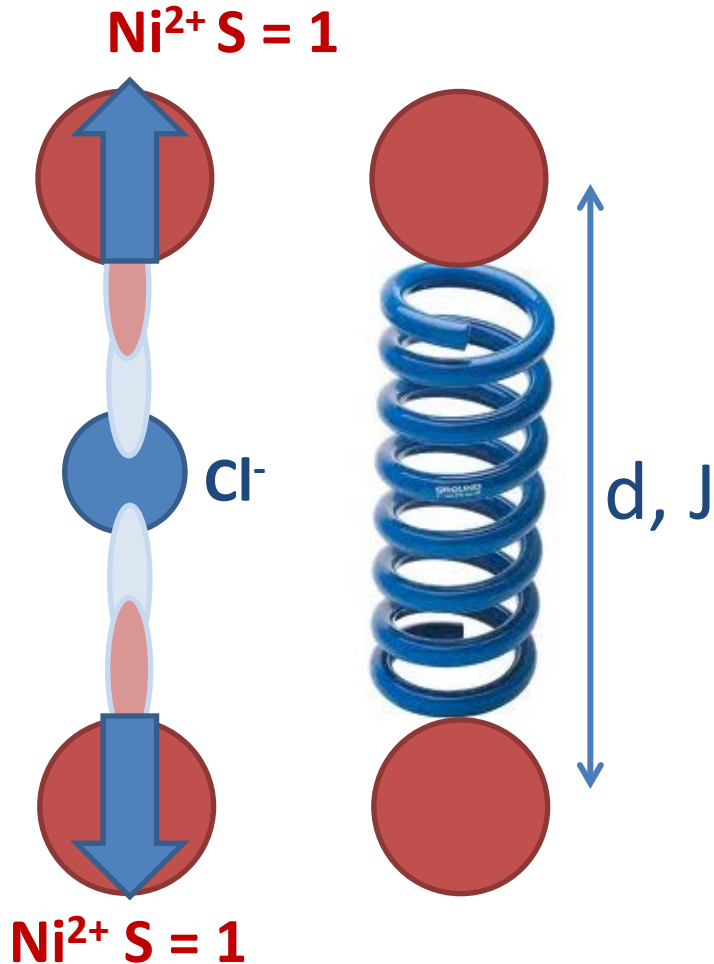


Electric field stabilizes monopoles



3-in-1-out
(monopole)

Example 2: Linear exchange striction



Superexchange

$$H = J \vec{S}_1 \cdot \vec{S}_2 \quad \text{AFM } J$$

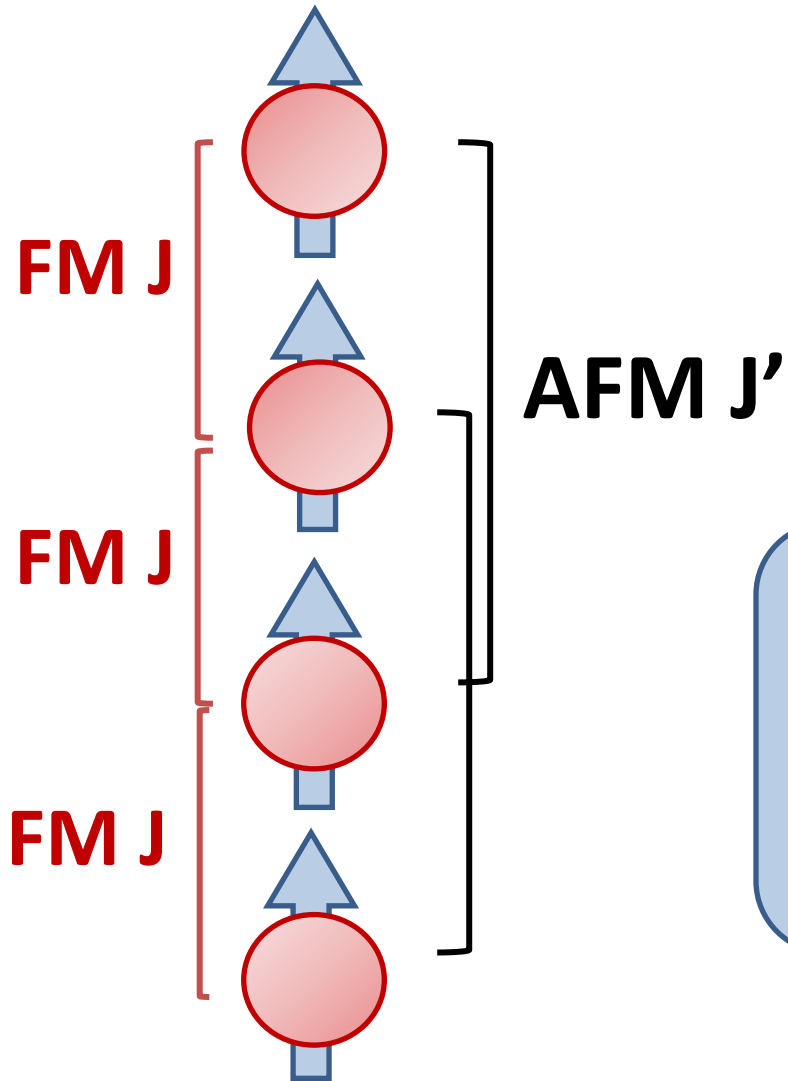
$\Delta J \sim (\Delta d)^4$ to $(\Delta d)^{10}$ for small Δd
Maybe be linear, or due to changing the angle.

If the spins are not satisfying J
distort the lattice, make J smaller.

Or if the spins are satisfying J ,
distort the lattice to make J bigger.

Balance magnetic energy gain
against at energy cost of lattice distortion

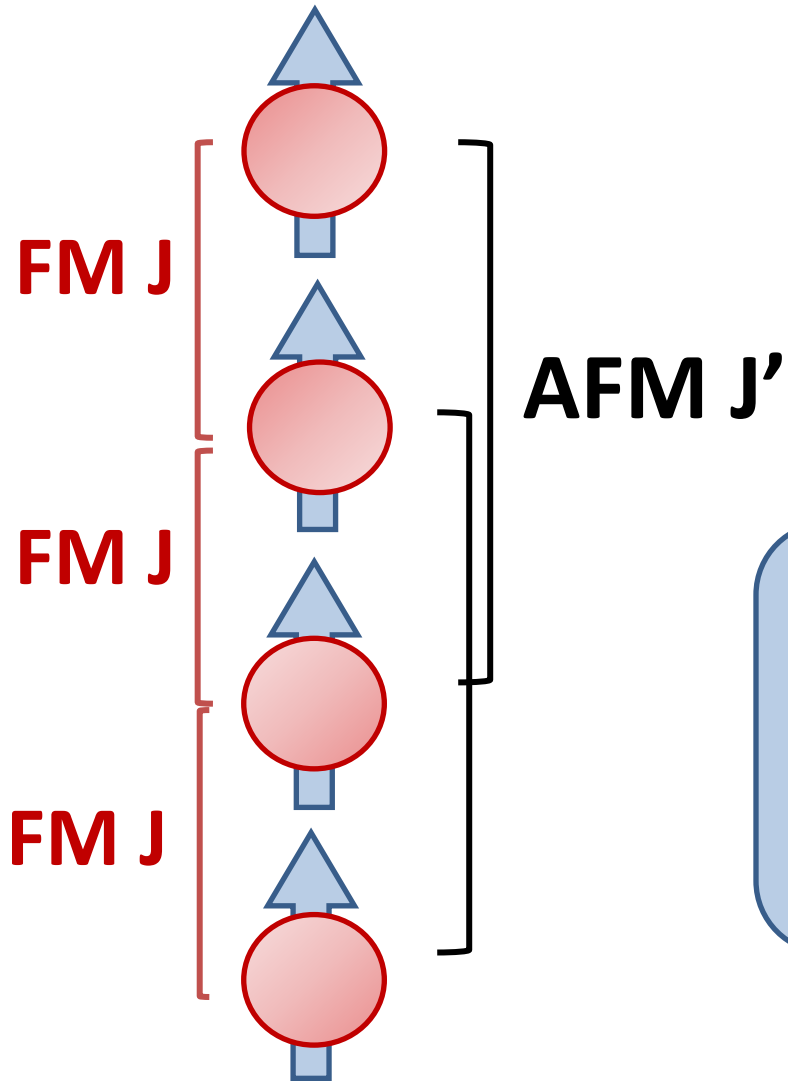
FM = ferromagnetic
AFM = antiferromagnetic



Exercise:

Place the spins so as to satisfy the bonds
Assume Ising spins.

FM = ferromagnetic
AFM = antiferromagnetic

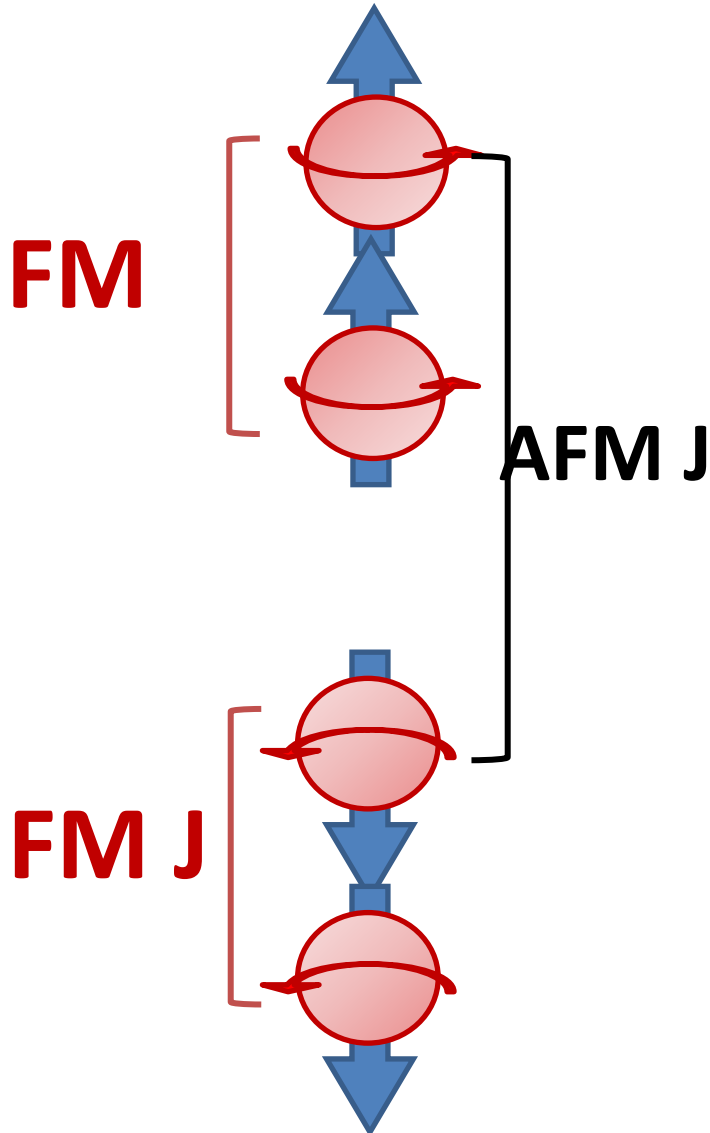


Answer:

It's frustrated

The lattice comes to the rescue: Frustration-lifting distortion

(Similar to Spin Peierls)



$$H = JS_1 \cdot S_2$$

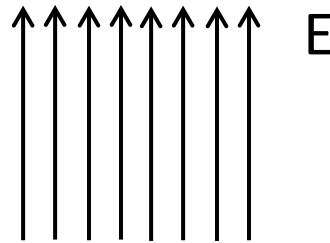
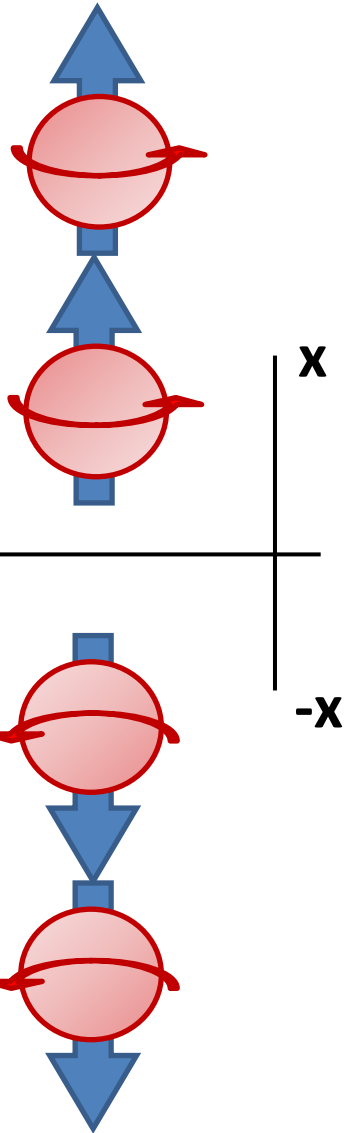
$$J \sim d^4 \text{ to } d^{10}$$

Minimize energy of spins + lattice.

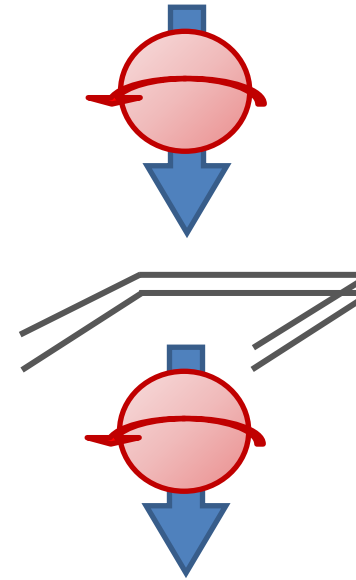
Disclaimer:
Actual distortions
1 part in 10^3 - 10^4

Exercise:
Does it break mirror symmetry?
(apply mirror vertically)

1. Physically interchange the spins along x
2. Apply mirror inversion to the spins
3. You are allowed to vertically translate in an attempt to see if the inverted system match the original

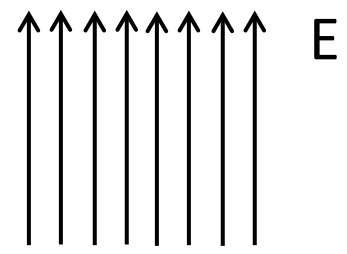


Translational symmetry



mirror inversion

mirror inversion
+ translation

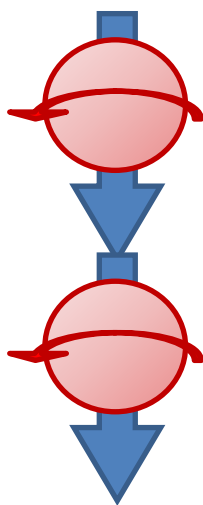
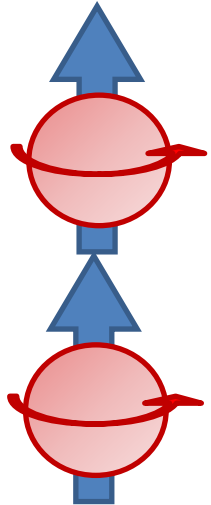
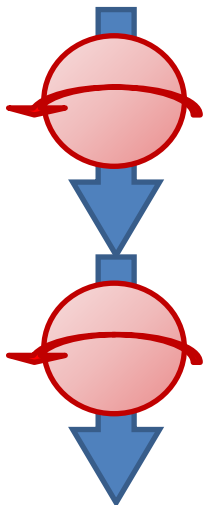
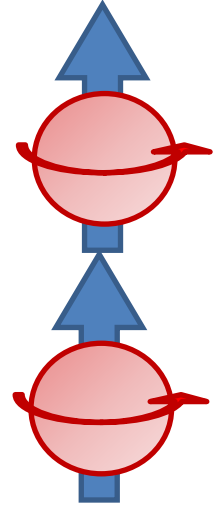
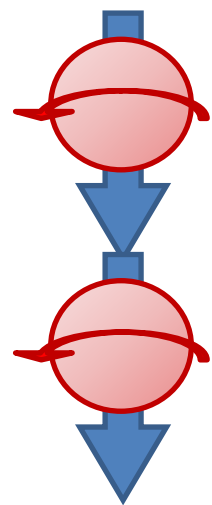
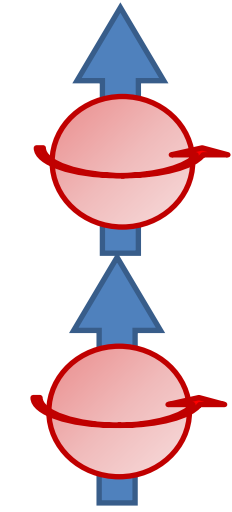


Translational symmetry

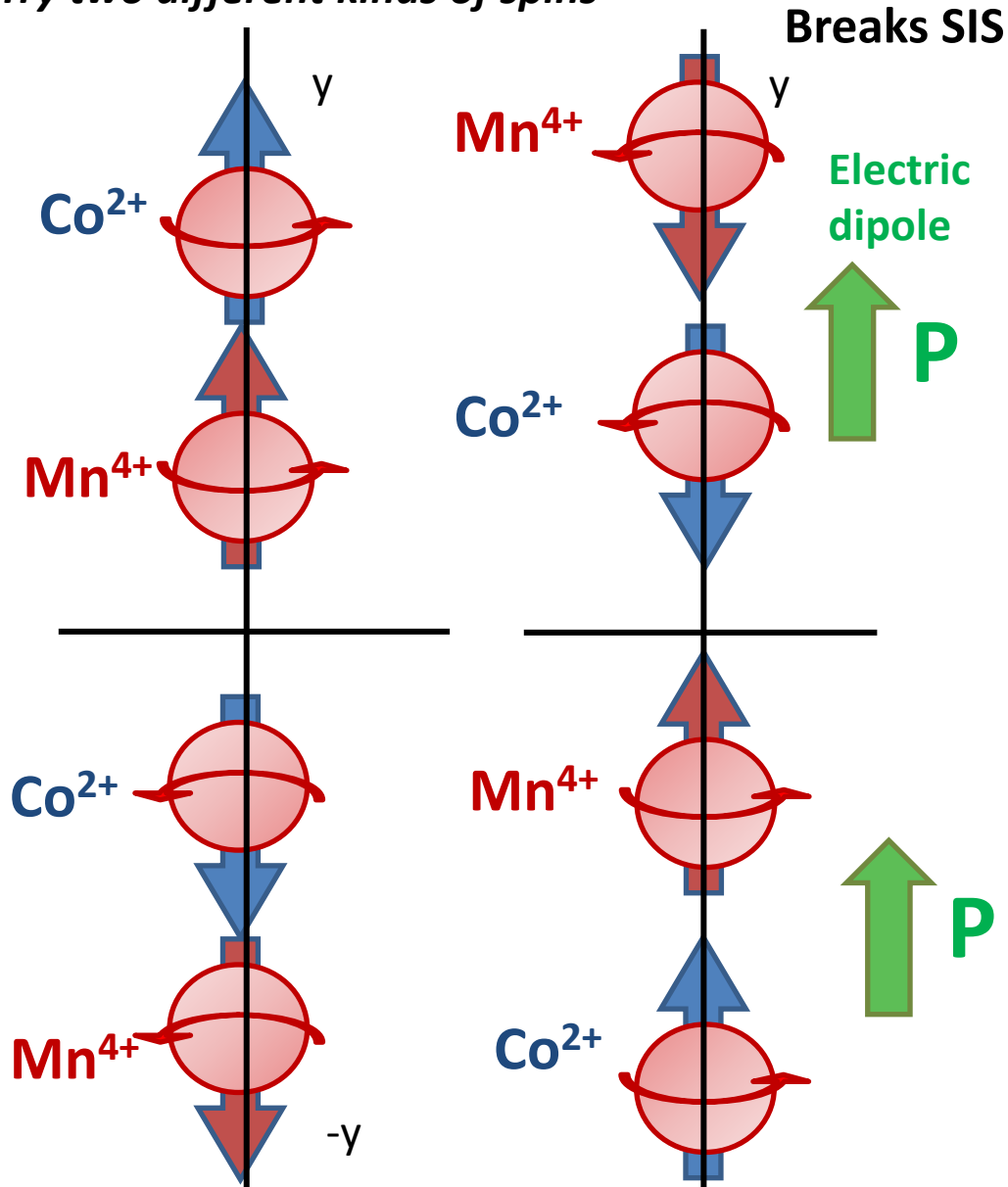
**CANNOT produce
an electric polarization**

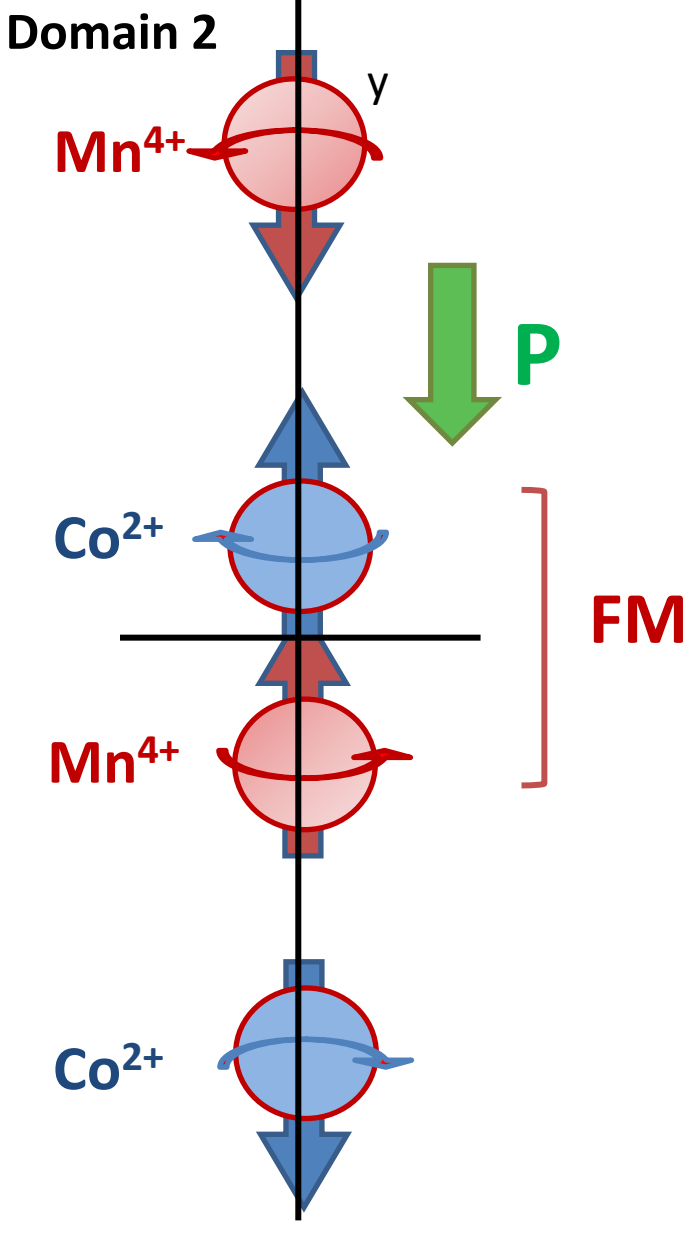
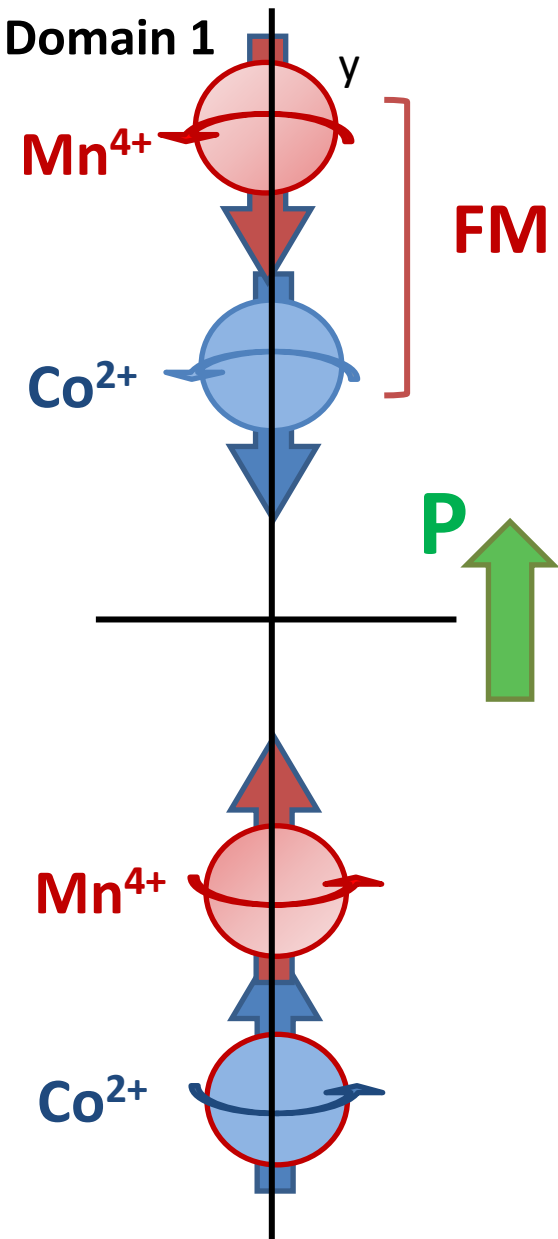
x

-x

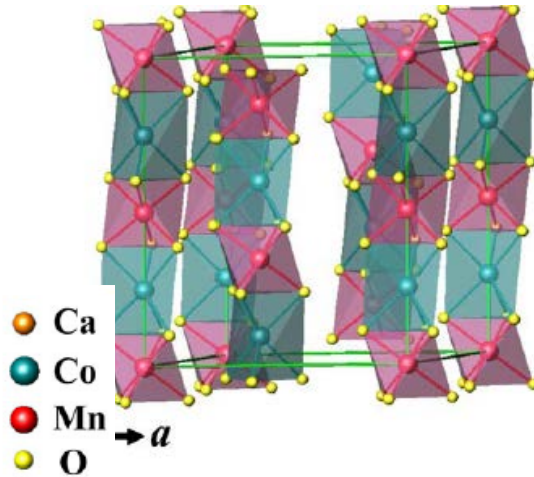
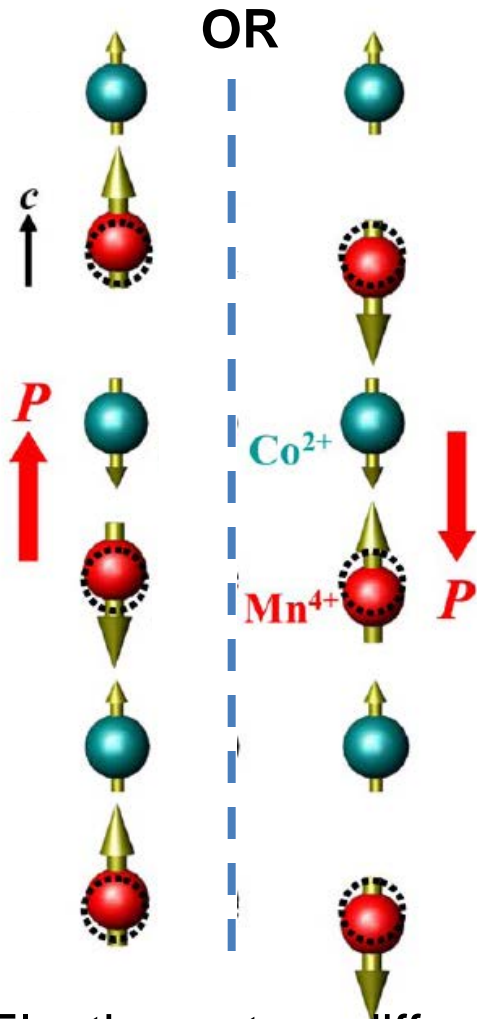


Try two different kinds of spins

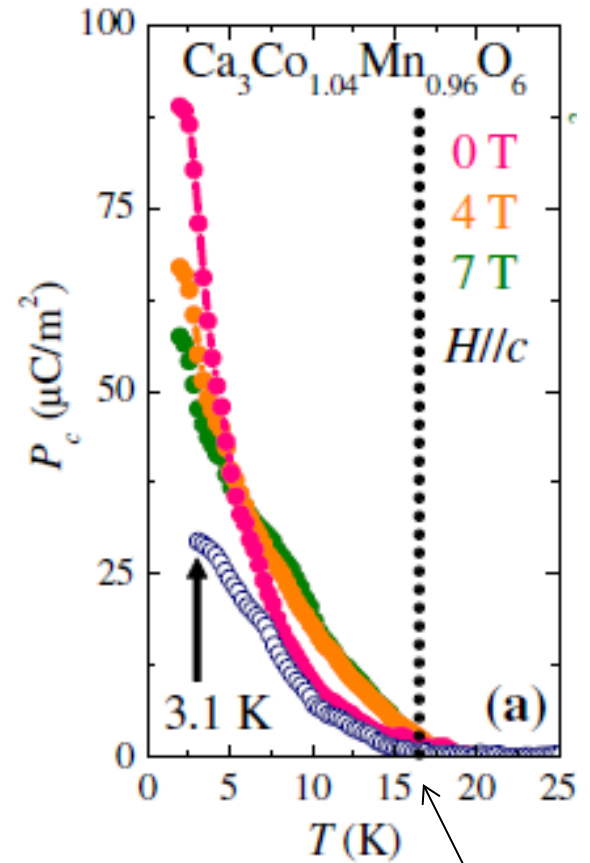




Ca₃CoMnO₆



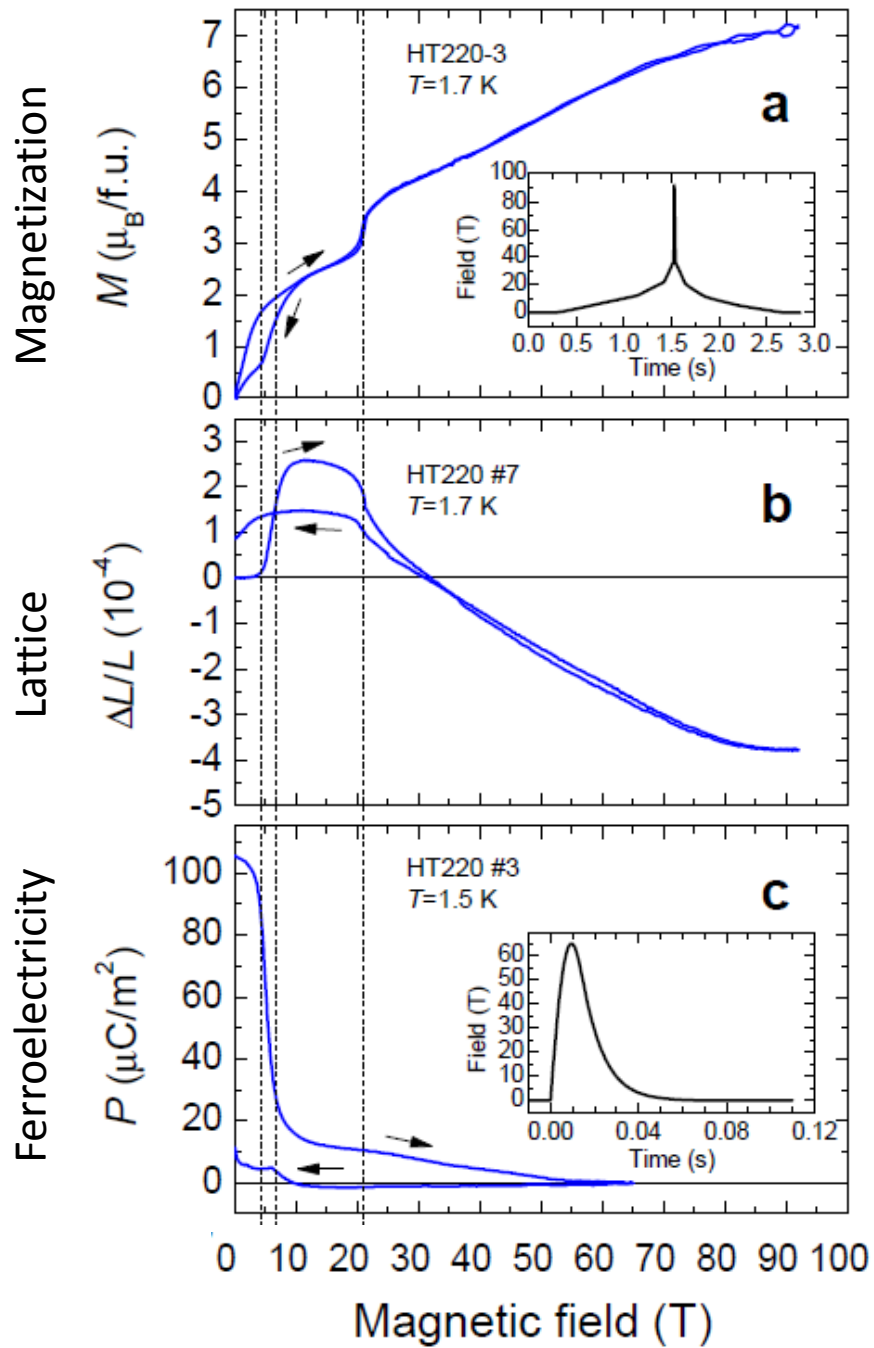
Two ways to distort:
Two ferroelectric domains



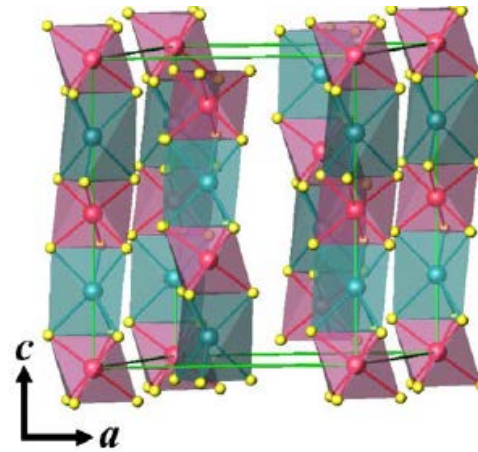
Onset of magnetic order

Elastic neutron diffraction @ 1.4 K

Y. Choi et al., PRL 100, 047601 (2008)



Ca₃CoMnO₆

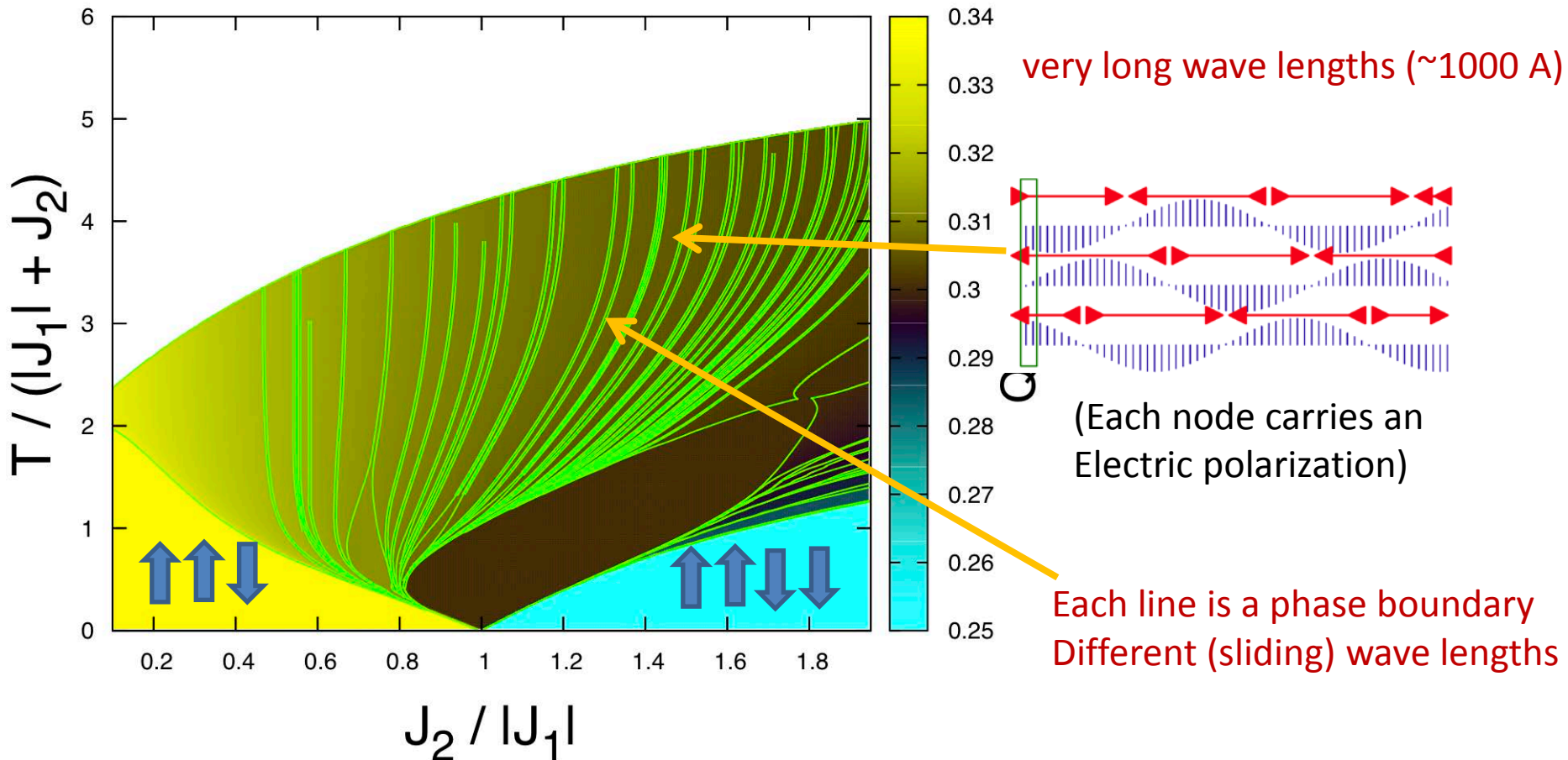


Evolve, kill, and ultimately understand the magnetoelectric coupling

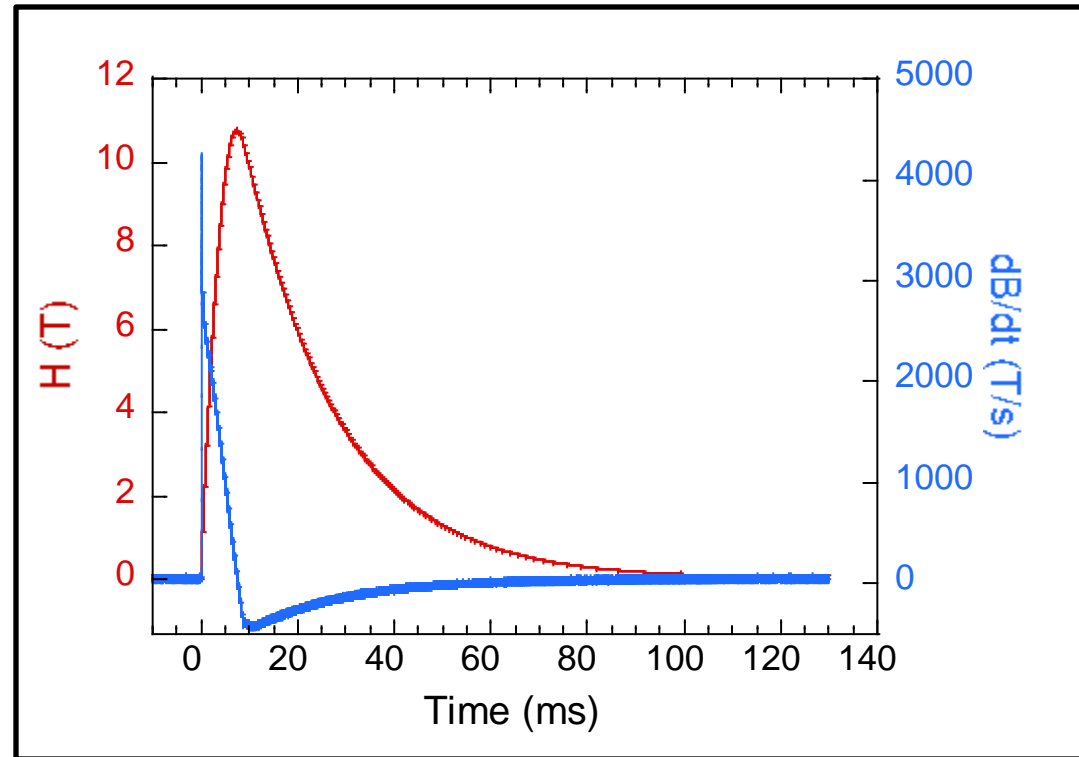
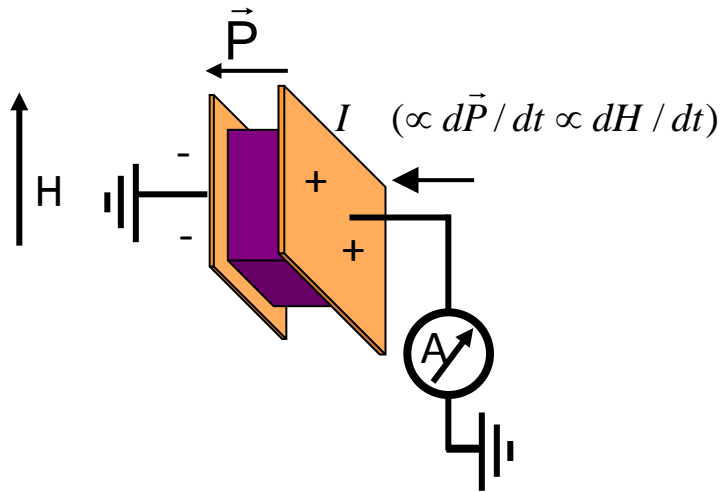
J. W. Kim et al, PRB 89, 060404 R (2014)

ANNNI model (Anisotropic next nearest neighbor interactions)

Ising spins have few options for satisfying competing interactions
-> resort to long wavelengths



Pulsed-field measurements of the electric polarization



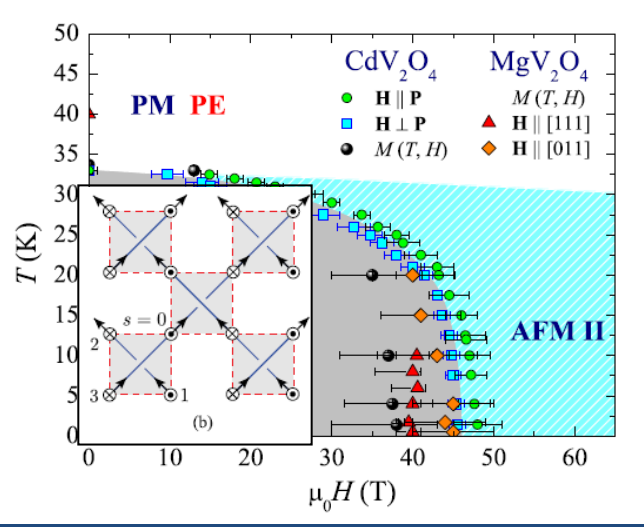
P(H) up to 65 T (95 T...?)

Signal to noise *increases* with speed of pulse

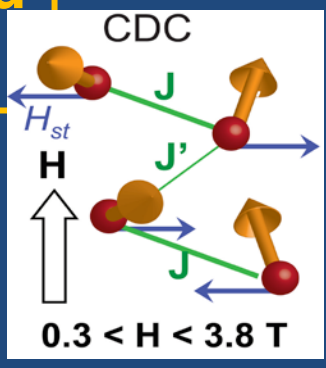
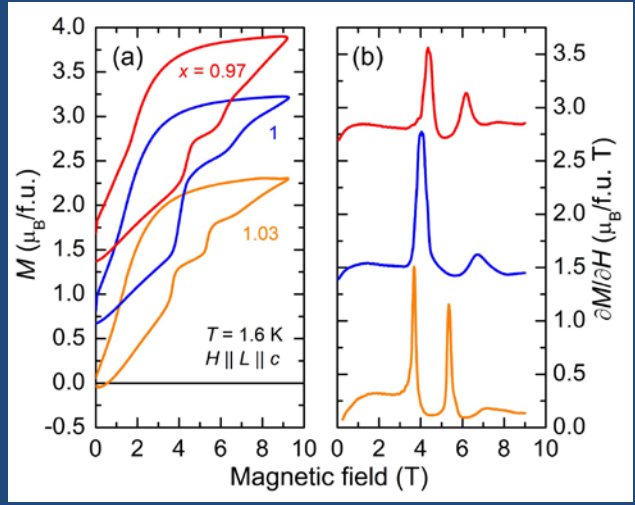
Sub pC/cm² resolution

Selection of frustration-induced ferroelectrics at the NHMFL

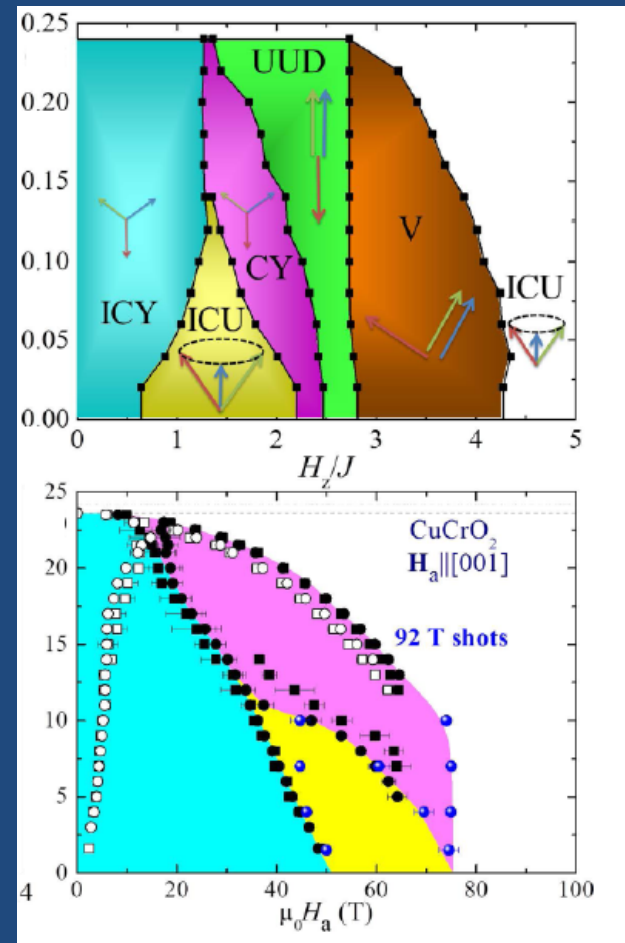
CdV₂O₄



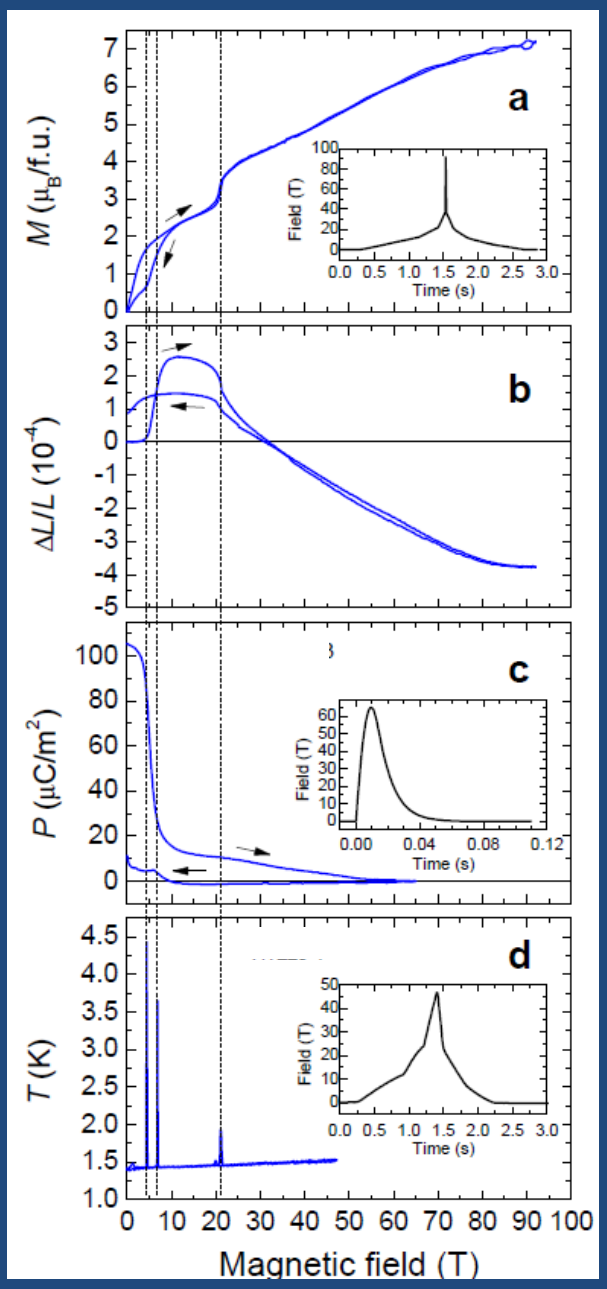
Ca₃Co₂O₆ and Ca₃CoMnO₆



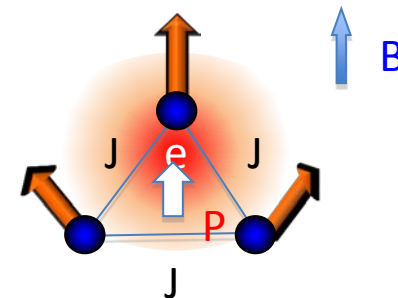
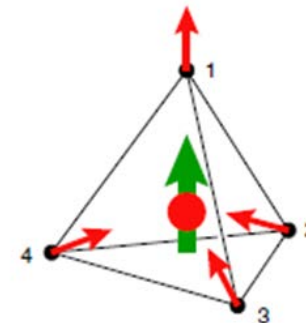
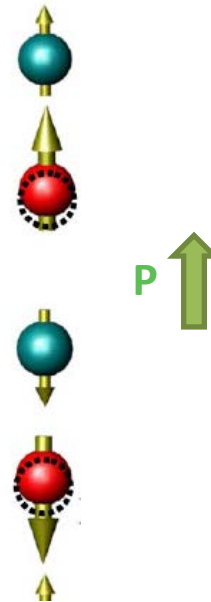
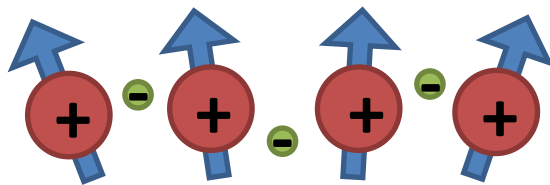
CuCrO₂

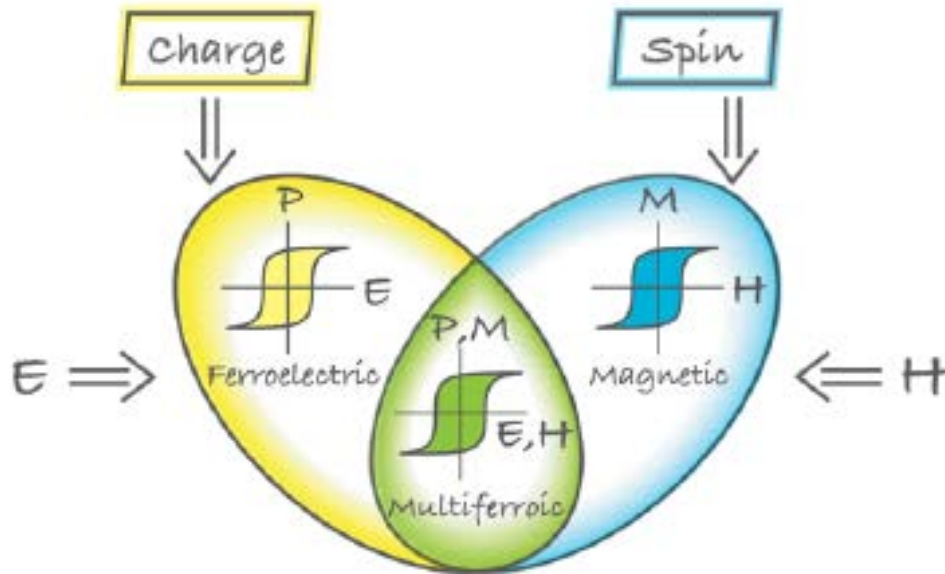


Ca₃CoMnO₆



- Competing interactions are a source of low symmetry spin states
- Match the symmetry of an electric field
- Create multiferroic behavior





D. Khomskii, Physics 2, 20 (2009)

Low power consumption
Voltages instead of currents

**Record-sensitive magnetic sensors
at low powers**

Tunable filters, antennas, gyrators, etc.

Tunable microwave devices

Energy harvesting

Memory/smart devices

**Electric manipulation of magnetic
domain walls, topological objects, etc.**

Caveat: frustration reduces ordering temperatures, so applications mostly focus on 'type 1' unfrustrated multiferroics. E.g. magnetism modifies a ferroelectricity that is already present.

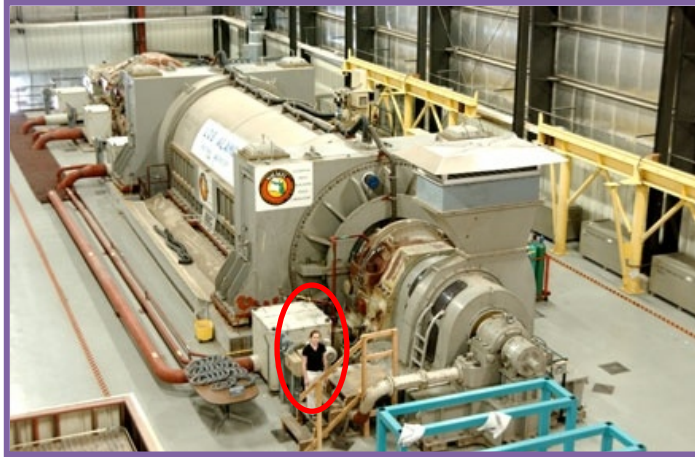
Or: heterostructures.

45 Tesla Hybrid magnet (DC), Tallahassee



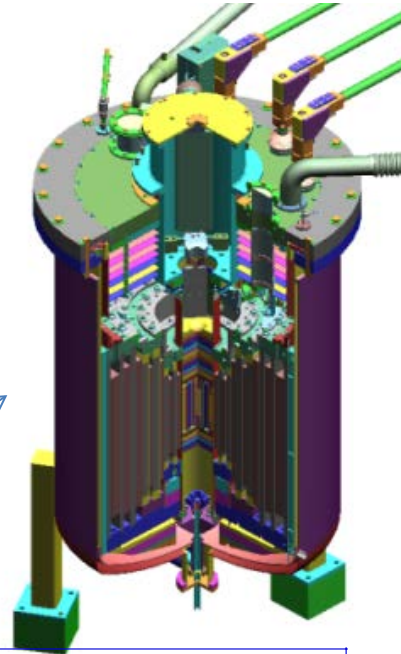
45 T coke can (SOUND OFF).flv

**1.4 GigaWatts power generator:
this could power Los Angeles**



~ 15%
→

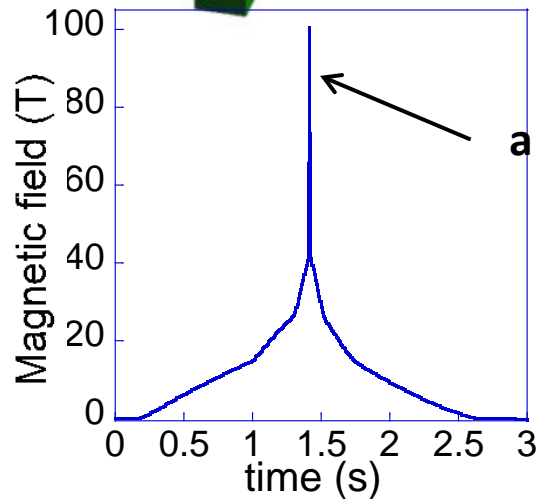
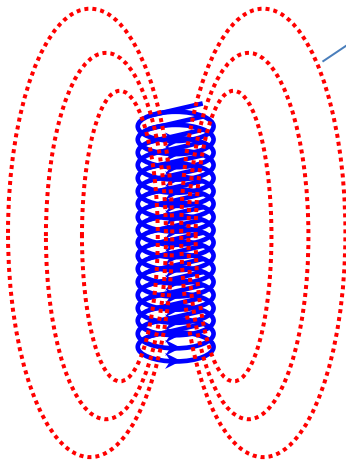
100 Tesla



Power is high
But energy is low



20x



a few milliseconds

Limitation on high magnetic fields: Strength of materials



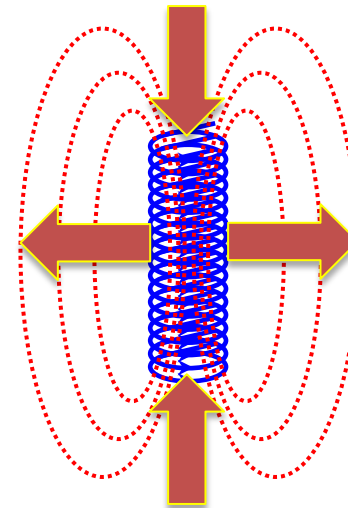
1x

Released in 1 millisecond
10s of kAmps, 10s of kVolts



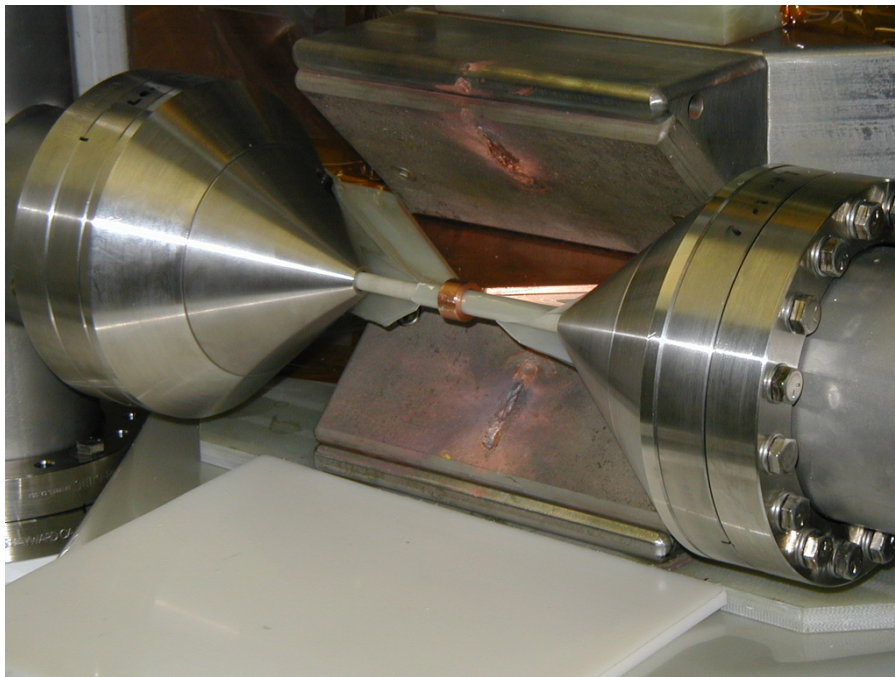
Worlds' strongest
steel

Force on a solenoid

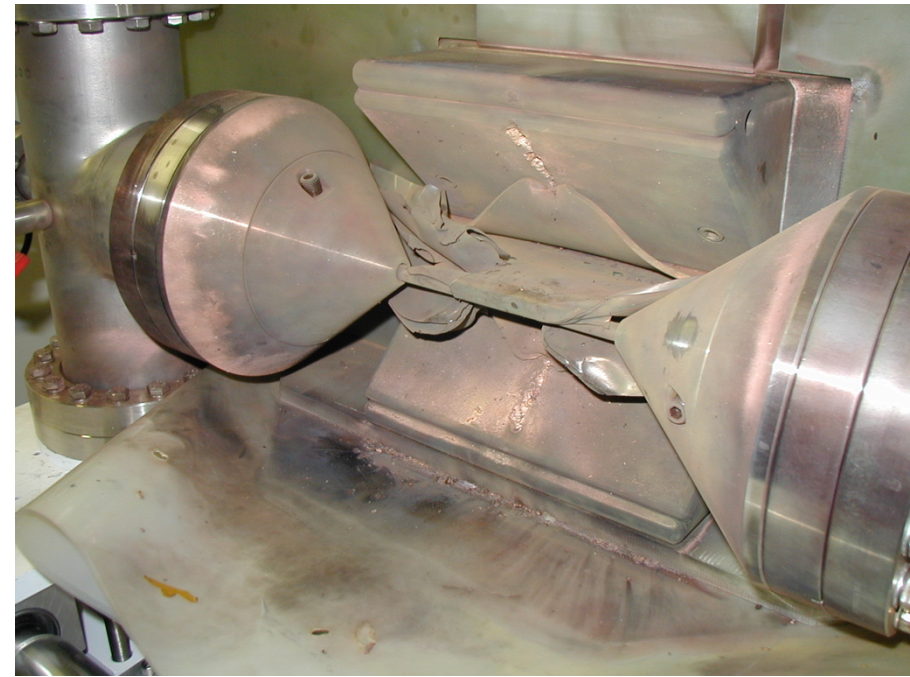


200T (microseconds): forget about saving the magnet
Sample is unharmed (usually)

Microsecond pulse



Before



After



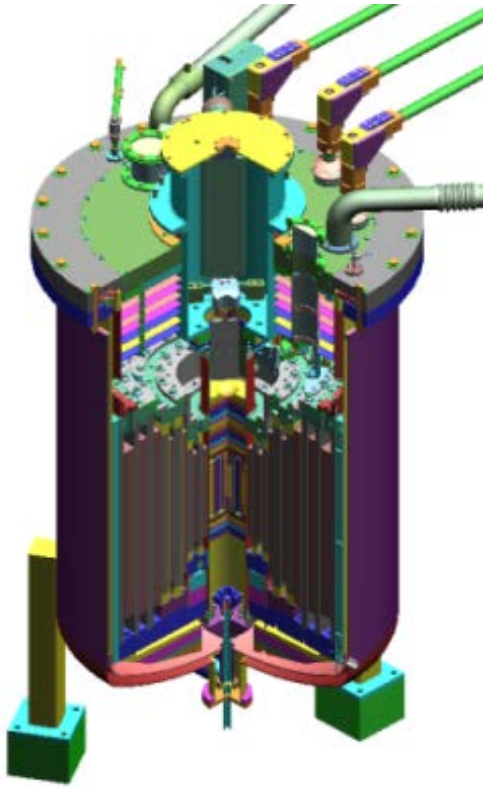
300 T movie.mov

800 Tesla: H_{c2} of YBCO



800T movie.mov

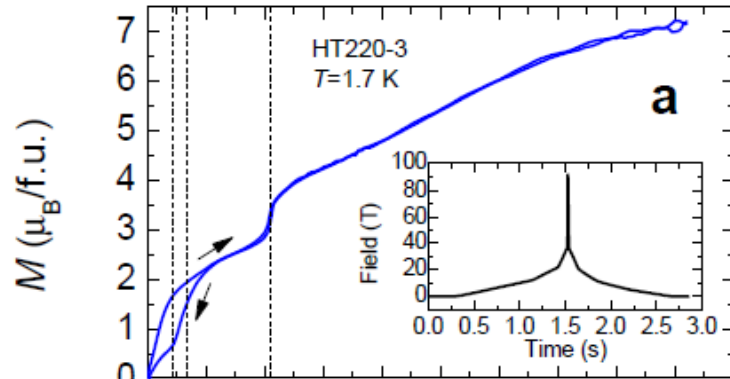
The greater accomplishment:
A 100 Tesla magnet that does *not* explode
Maximize useful measurements
Milliseconds



What can you measure in a few milliseconds?

Frustrated $\text{Ca}_3\text{CoMnO}_6$

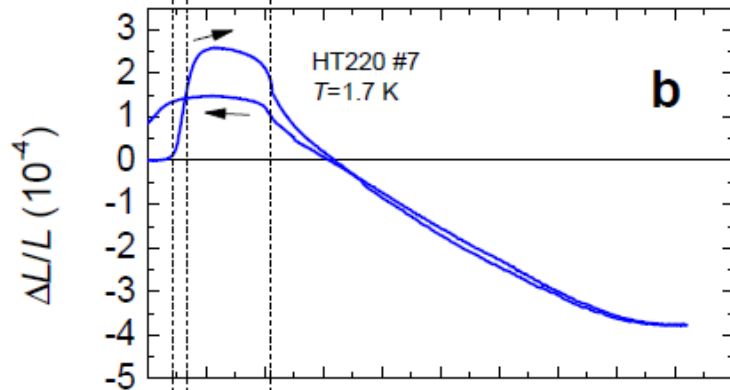
Magnetization



Magnetization

10-100x less sensitive than in DC magnets

Sample Length

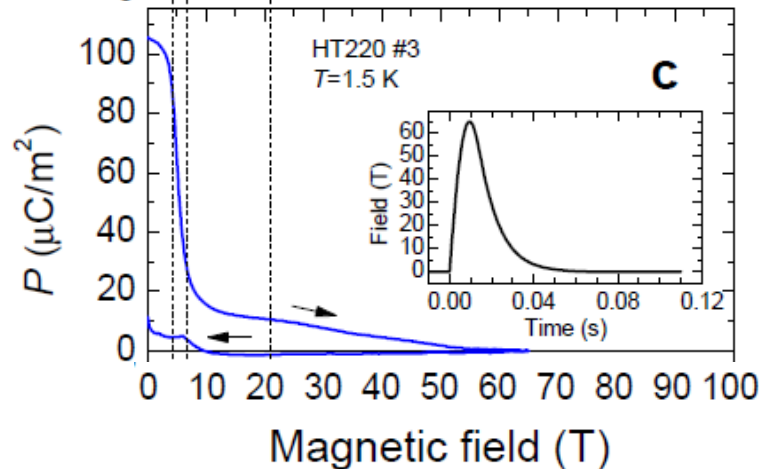


Sample Length (magnetostriction)

Comparable to DC measurements

1 part in 10^6 to 10^7 magnetostriction

Ferroelectricity



Ferroelectricity

10-1,000x MORE sensitive than DC magnets



S. Chikara
 J. Singleton
 N. Harrison
 J. W. Kim



C. D. Batista
 Shizeng Lin
 Giawei Chern
 Eun-Deok Mun



Y. Kamiya
 J. W. Kim
 E. D. Mun
 S.W. Cheong

